

Biostat 200

Introduction to Biostatistics

Lecture 1

Course instructors

Course director

Judy Hahn, M.A., Ph.D.

Associate Professor in Residence

Phone: (415) 597-4961

Office: 50 Beale St., Suite 1300

Judy.hahn@ucsf.edu

TAs

- Gabriel Brooks, MD
- Elaine Ku, MD
- Annie Narla, MD
- Aaron Spicer, MD

Course web site

- <https://courses.ucsf.edu/course/view.php?id=1631>

- Lectures: Tuesdays 10:30-12:30
 - Videos of lectures are posted usually within a few hours
- Labs: Thursday 10:30-12
- Hahn office hours: Tuesday 12:30-1:30 Room CB 6702 and by appointment
- Course credits: 3
- Some STATA in class – Please bring your laptop

- Readings
 - Required readings will be from ***Principles of Biostatistics*** by M. Pagano and K. Gauvreau. Duxbury. 2nd edition.
 - Please read the assigned chapters *before* lecture, and review them after lecture
 - Lectures will closely follow book chapters

Assignments

- 8 assignments
- Assignments will be due weekly on Thursdays at 10:30 a.m. starting 10/2
- Each assignment will be posted at least one week before it is due
- Answers will be posted within one week
- Assignment schedule in the syllabus file
- Assignments will consist of:
 - Data analysis and interpretation
 - Exercises in the book
 - Reading and interpretation of scientific publications

Assignments

Send all assignments to:

biostats200.2014@gmail.com

Send your assignments as a word document. Please do not forget to put your name on the document.

Name the file with assignment # and your last name:

e.g. “Lab 2_Hahn.doc”

Labs

- Labs will be every Thursday 10:30 -12
- No lab 9/25, 11/13, and 11/28
- Lab content
 - Lab 1: Stata familiarity, exploratory data analysis
 - Labs 2-6
 - Lecture review
 - Examples from TAs own work or the literature
 - Review of more challenging homework problems
 - Time to get started and ask questions on new assignment
 - Labs 7-10 similar, but more emphasis on real-world problems

Forum

- <https://courses.ucsf.edu/mod/forum/view.php?id=108486>
- Will be used for class communications, like assignment clarifications, etc.
- Please use for clarification questions that others in the class may also have

Grading

- Assignments (70%)
 - 8 problem sets
- Late assignments will not be graded
 - You may earn 60% credit if complete
- Final exam (30%)
- Grading is done by TAs

TICR Professional Conduct Statement

Clarifications for this class

- I will maintain the highest standards of academic honesty.
- I am allowed to collaborate with my classmates on assignments, however I will work through each problem myself and turn in my own work (no cutting and pasting from others).
- I will neither give nor receive help from other students on the final examination.
- I will not use questions or answer keys from prior years.



"And it was so typically brilliant of you to have invited an epidemiologist."

Who am I?

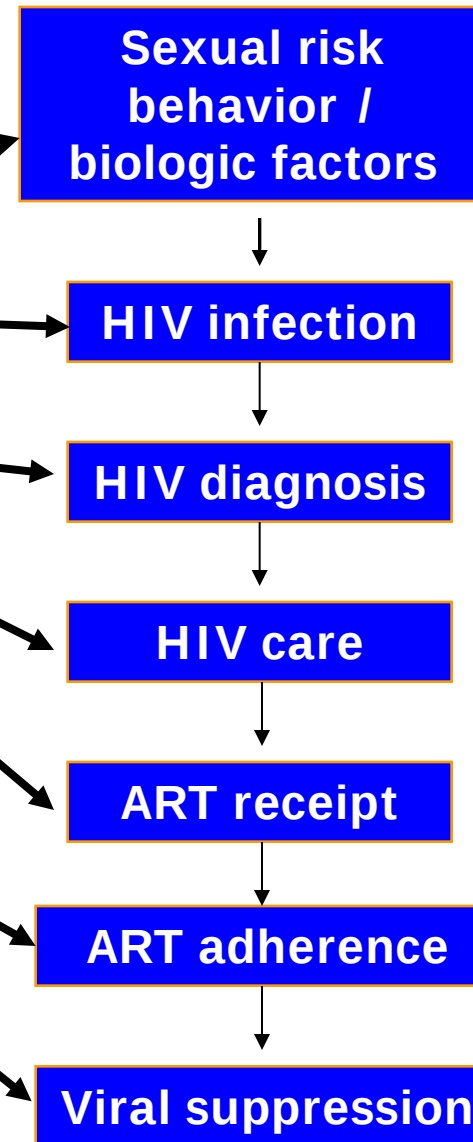


- MA in Biostatistics, PhD in epidemiology
- At UCSF since 1992
- My research
 - Substance use and infectious disease
 - Injecting drug use and HCV in San Francisco
 - Unhealthy alcohol and HIV in sub-Saharan Africa

Alcohol and the HIV cascade



How to measure
alcohol use?



HIV transmission to others

Course goals

- Knowledge of basic biostatistics terms and notation
- Understanding of concepts underlying most statistical analyses, as a foundation for more advanced methods
- Ability to summarize data and conduct basic statistical analyses using STATA
- Ability to understand basic statistical analyses in published journals
- Have a strong foundation for understanding more complex material

Course goals – deeper understanding

- Have you read a journal article that reports p-values or 95% confidence intervals?
- Have you calculated a p-value or a 95% confidence interval?
 - Do you know where that p-value came from?

Who are you?

- Stage in training
 - Resident
 - Fellow
 - Faculty
 - PhD Student
- Do you have a data set that you are analyzing?
- Are you in the process of collecting your own data?

What will we cover

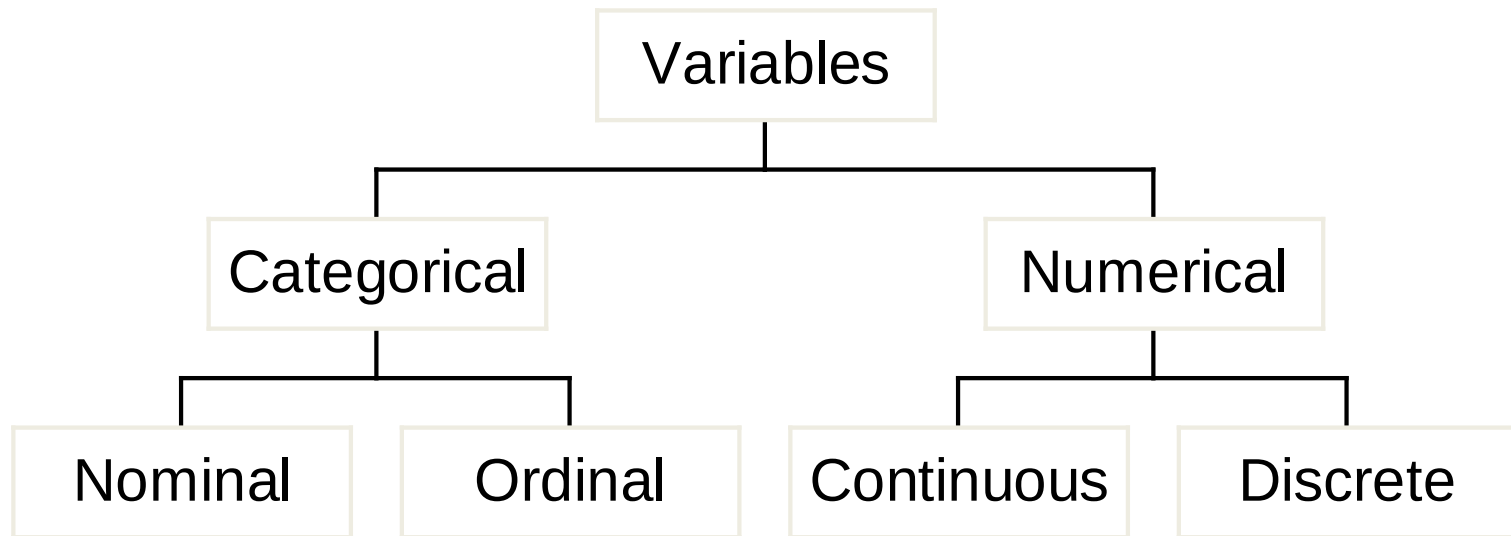
- Syllabus

Today's topics

- Variables - numerical versus categorical
- Tables (frequencies)
- Graphs (histograms, box plots, scatter plots, line graphs)
- Summaries of numerical variables

Types of variables

- Variables are what you are measuring
- Data sets are made up of a set of measured variables



Types of variables

- Categorical variable: any variable that is not numerical (values have no numerical meaning)
- Examples: gender, race, drug, disease status

Types of variables

- Categorical variables
 - Nominal (from the French nom) variables:
 - The data are unordered
 - For example: RACE: 1=Caucasian, 2=Asian American, 3=African American
 - A subset of these variables are binary or dichotomous variables
 - Binary variables have only two categories
 - For example:
 - » GENDER: 1=male, 2=female
 - » 0=No 1=Yes

Types of variables

- Categorical variables
 - Nominal variables:
 - The data are unordered
 - Ordinal variables:
 - The data are ordered
 - For example:
 - AGE: 1=10-19 years, 2=20-29 years, 3=30-39 years
 - Likelihood of participating in a vaccine trial 1=Not at all likely 2=somewhat likely 3=very likely

Types of variables

- Numerical (quantitative) variables: naturally measured as numbers for which arithmetic operations are meaningful
- E.g. height, weight, age, salary, viral load, CD4 cell counts
 - Discrete variables: can be counted (e.g. number of children in household: 0, 1, 2, 3, etc.) but fractions do not make sense
 - Continuous variables: can take any value within a given range (e.g. weight: 2974.5 g, 3012.6 g)

Grey zone

- Dichotomous variables 0=No, 1=Yes
 - Doing arithmetic operations actually does make sense
 - If you take the mean of the 0's and 1's you get the proportion= yes

Grey zone

- Continuous variables are always truncated at the level of the precision of the measurement.
 - They may be truncated at integer values but if a fraction makes sense it is still a continuous variable
 - E.g. Age=33 years old (really 33 years, 17 days, 12 hours, 23 minutes, etc...)

Why does it matter?

- Knowing what type of variable you are dealing with will help you choose your method of statistical analysis
- The most important/common distinction is between categorical and numerical

Manipulation of variables

- Continuous variables can be discretized
 - E.g., age can be rounded to whole numbers
- Continuous or discrete variables can be categorized
 - E.g., age categories
- Categorical variables can be re-categorized
 - E.g., lumping from 5 categories down to 2

Manipulation of variables

- Why discretize/categorize a continuous variable or re-categorize a categorical variable?
 - Ease of interpretation
 - Ease of statistical methodology
 - Some groups are too small to make conclusions about
 - But discretizing/categorizing or lumping can have a statistical cost – loss of information
- We will do some of this in lab

Tables to summarize data

Frequency tables

- Categorical variables are summarized by
 - Frequency counts – how many are in each category
 - Relative frequency or percent (a number from 0 to 100)
 - Proportion (a number from 0 to 1)

Gender of persons receiving new HIV test, Mulago Hospital, Kampala, Uganda, 2008- 2011.	
	n (%)
Male	1553 (46)
Female	1836 (54)
Total	3389 (100)

Frequency tables

- Continuous variables can be summarized in frequency tables but must be categorized in meaningful ways

Frequency tables

- Choice of cutpoints for categories
 - Even intervals
 - E.g. 10-year age categories
 - Meaningful cutpoints related to a health outcome or decision
 - E.g. $CD4 < 50$ cells/mm³
 - Equal percentage of the data falling into each category
 - Tertiles – 33%
 - Quartiles – 25%
 - Quantiles – 20% each



Frequency tables

CD4 cell counts (per mm ³) of persons newly diagnosed with HIV at Mulago Hospital, Kampala (N=999)	
	n (%)
≤50	121 (12.1)
51-250	339 (33.9)
251-500	339 (33.9)
≥500	200 (20.0)

Frequency tables

- The cumulative frequency is the percentage of observations up to and including the current category

CD4 cell counts (per mm ³) of persons newly diagnosed with HIV at Mulago Hospital, Kampala (N=999)		
	n (%)	Cumulative frequency (%)
≤50	121 (12.1)	12.1
51-250	339 (33.9)	46.1
251-500	339 (33.9)	80.0
≥500	200 (20.0)	100.0

In Stata

```
. tab cd4_cat
```

RECODE of cd4count (CD4Count)	Freq.	Percent	Cum.
CD4<50	121	12.11	12.11
CD4=51-250	339	33.93	46.05
CD4=251-500	339	33.93	79.98
CD4>500	200	20.02	100.00
Total	999	100.00	

These data are posted on the class website and called:
vct_baseline_biostat200_v1

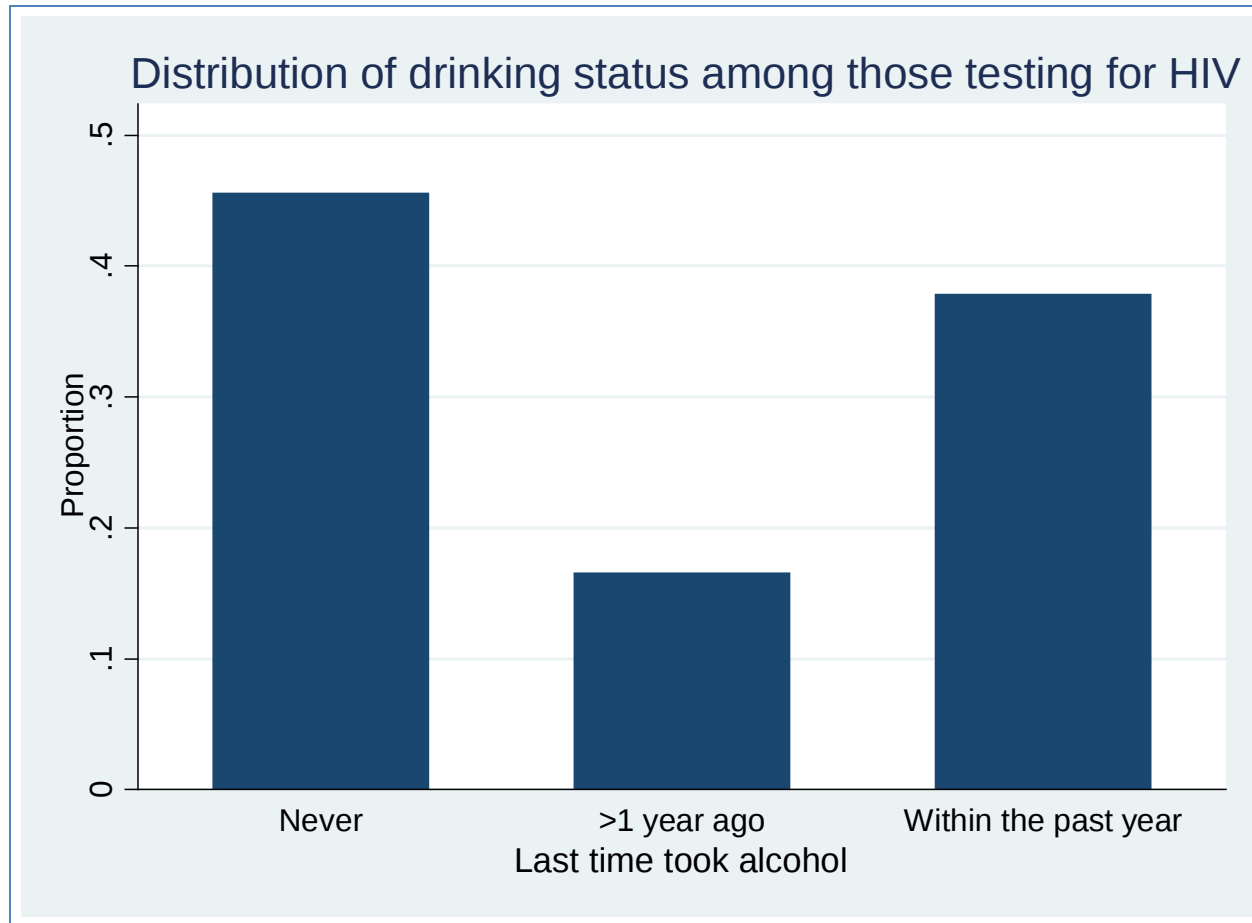


Bar charts

- General graph for categorical variables
- Graphical equivalent of a frequency table
- The x-axis does not have to be numerical
- The height of the bars should add up to 1



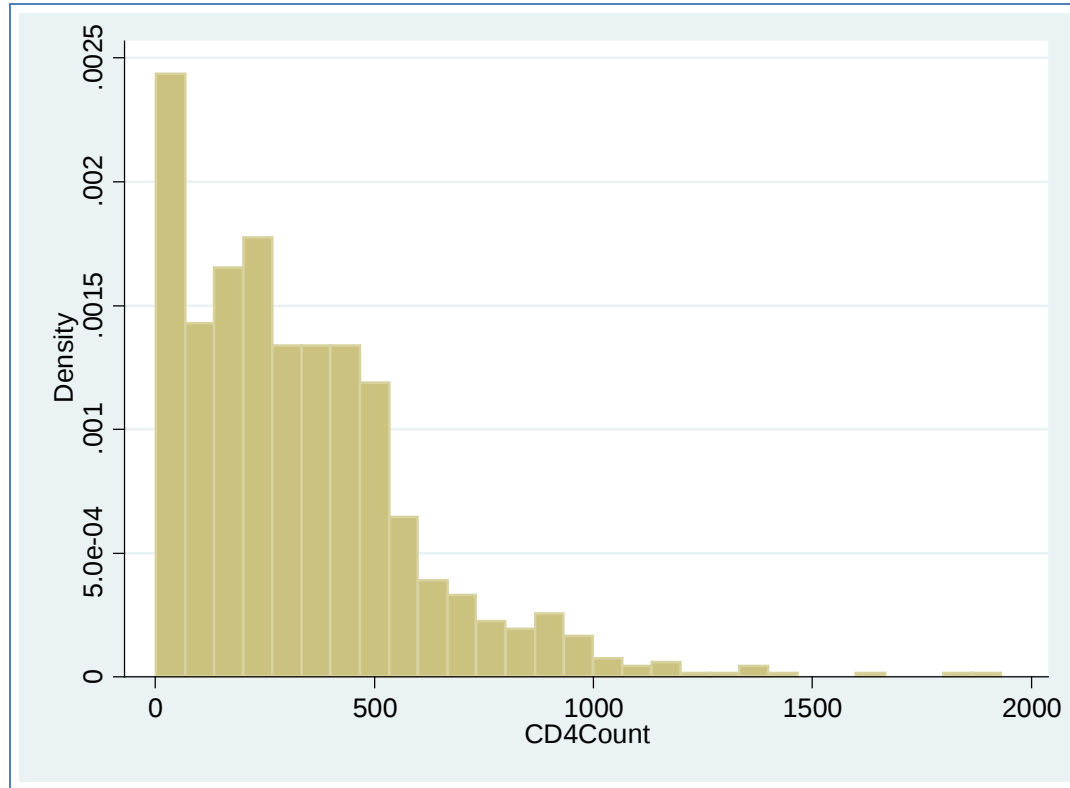
Bar charts



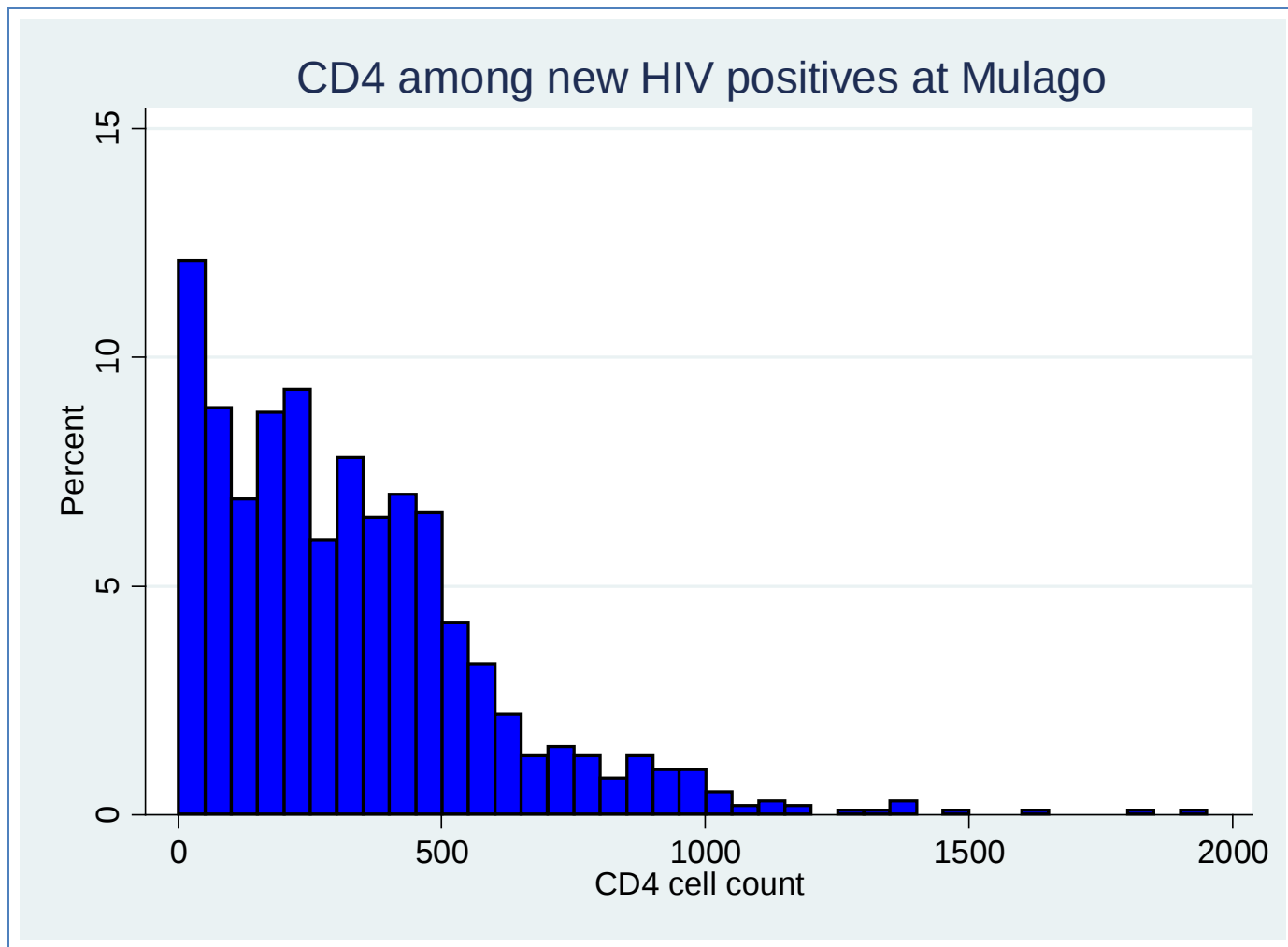
Histograms

- Bar chart for numerical data
- The number of bins and the bin width will make a difference in the appearance of this plot
- Width and number of bins may affect interpretation
- Options such as percent, frequency will change the y-axis

- Without specifying any options, your histogram will look like this. The bin width will be chosen automatically.



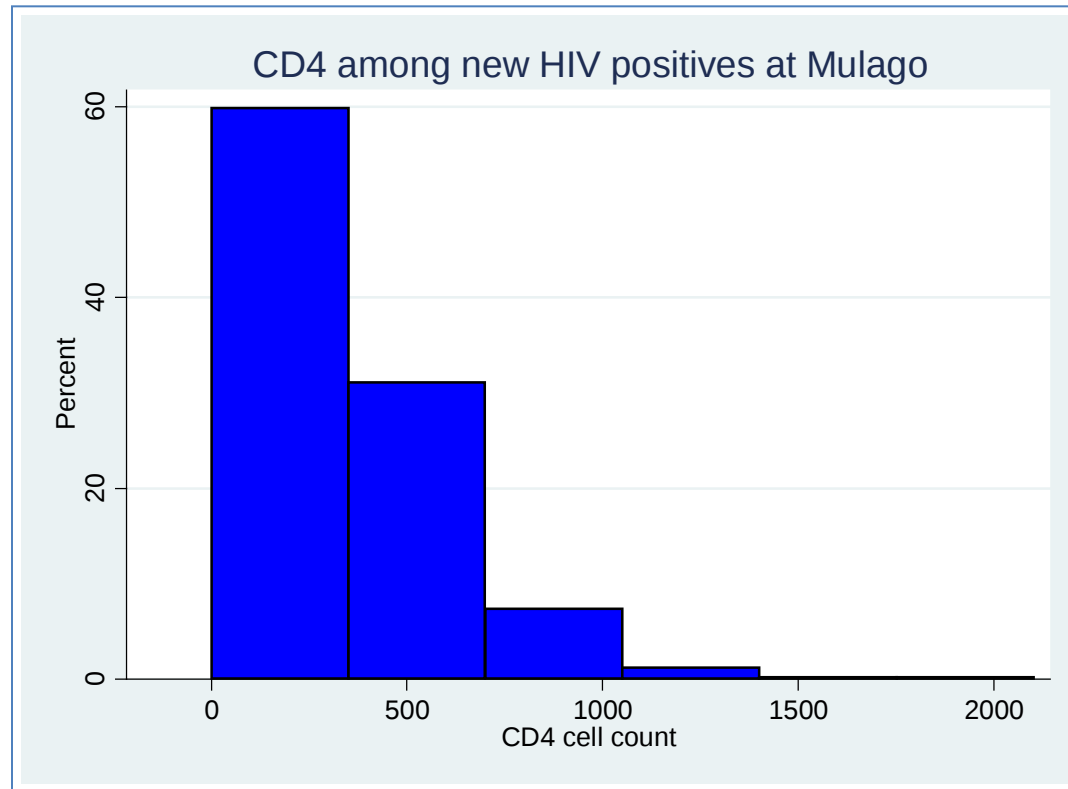
```
** Stata code for this histogram **  
histogram cd4count  
(bin=29, start=1, width=66.586207)
```



**** Stata code for this histogram ****

```
histogram cd4count, fcolor(blue) lcolor(black) width(50)  
title(CD4 among new HIV positives at Mulago) xtitle(CD4 cell  
count) percent
```

- This histogram has less detail but gives us the % of persons with CD4 <350 cells/mm³



```
histogram cd4count, fcolor(blue) lcolor(black) width(350)
title(CD4 among new HIV positives at Mulago) xtitle(CD4 cell
count) percent
```

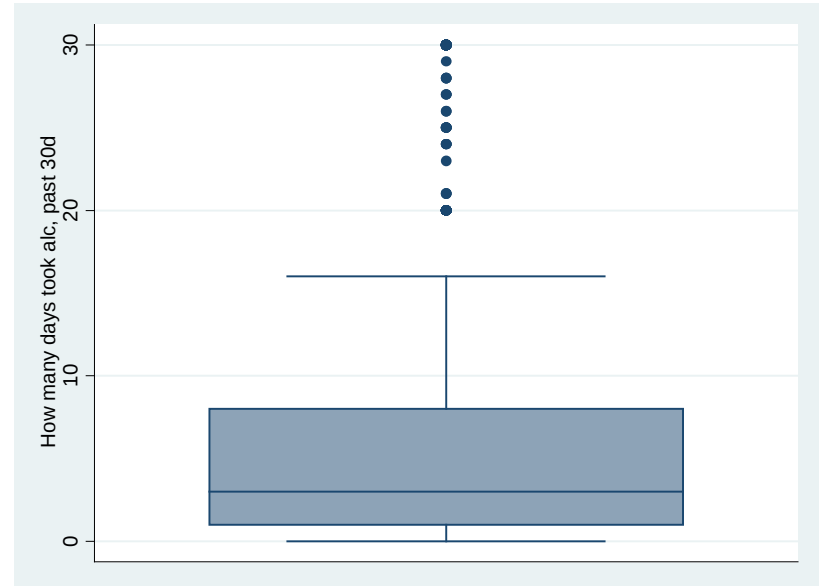
Box plots

- Middle line=median (50th percentile)
- Box covers the 25th to 75th percentiles (interquartile range)



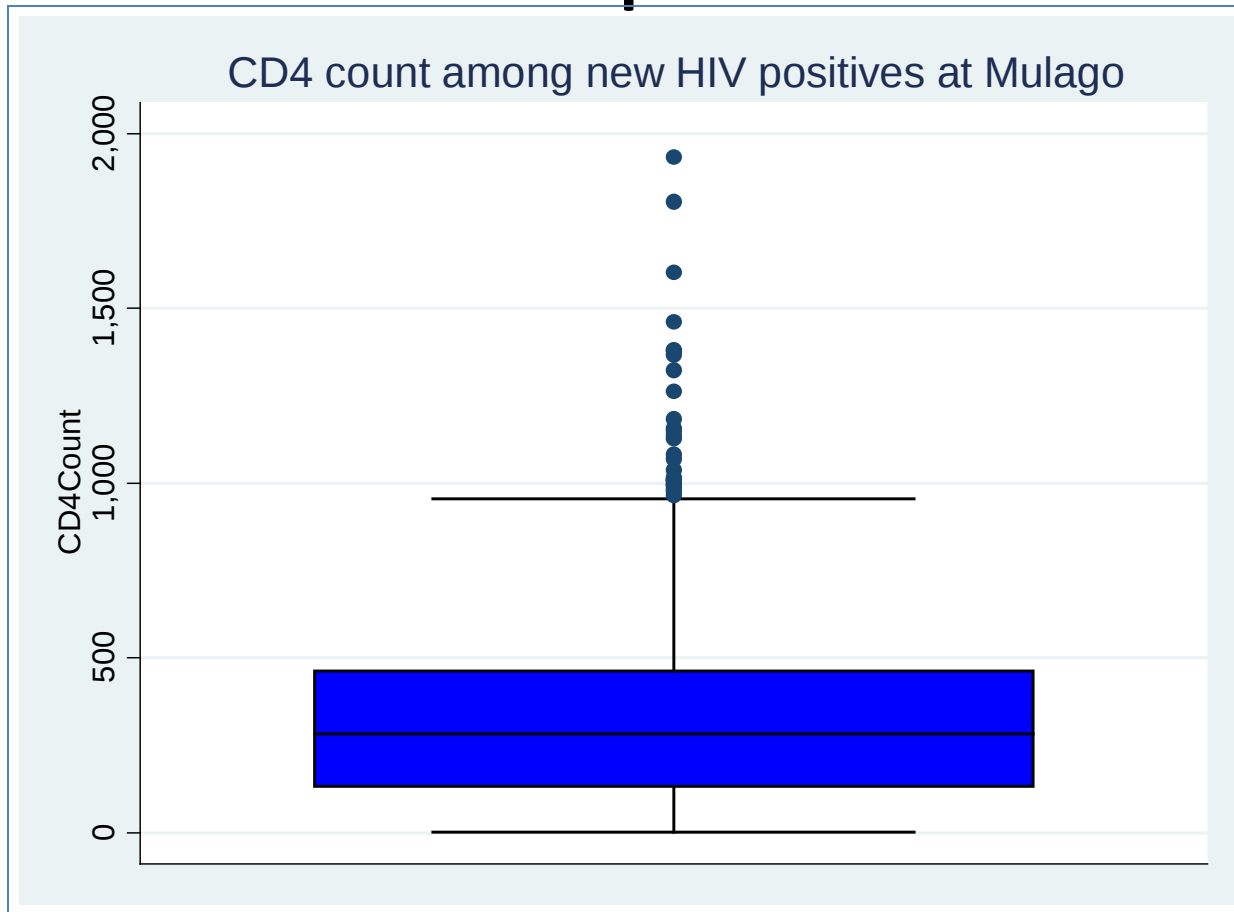
graph box e5

Box plots



- Bottom whisker: Data point at or above 25th percentile – 1.5*IQR or the minimum, whichever is greater
 - 25th %ile=1, IQR=7, $1-1.5*7=-9.5$
- Top whisker: Data point at or below 75th percentile + 1.5*IQR or the maximum, whichever is greater
 - 75th %ile=8, IQR=7, $8+1.5*7=18.5$

Box plots

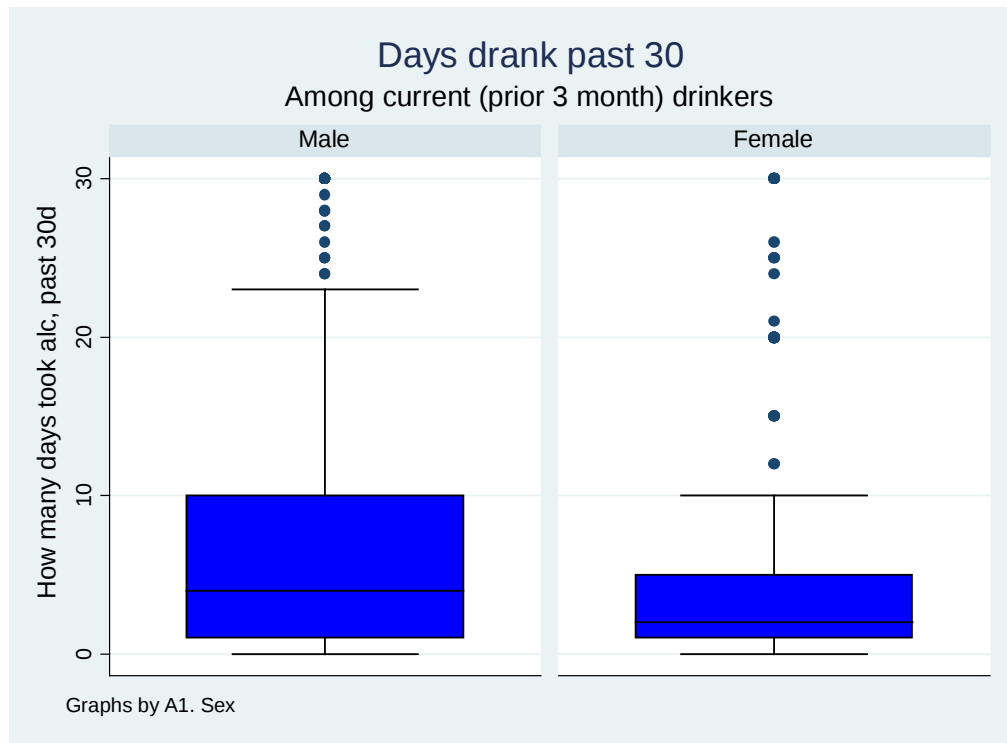


```
graph box cd4count, box(1, fcolor(blue) lcolor(black)  
fintensity(inten100)) title(CD4 count among new HIV  
positives at Mulago)
```

USE drop down menus in Stata to make your graphics look pretty!

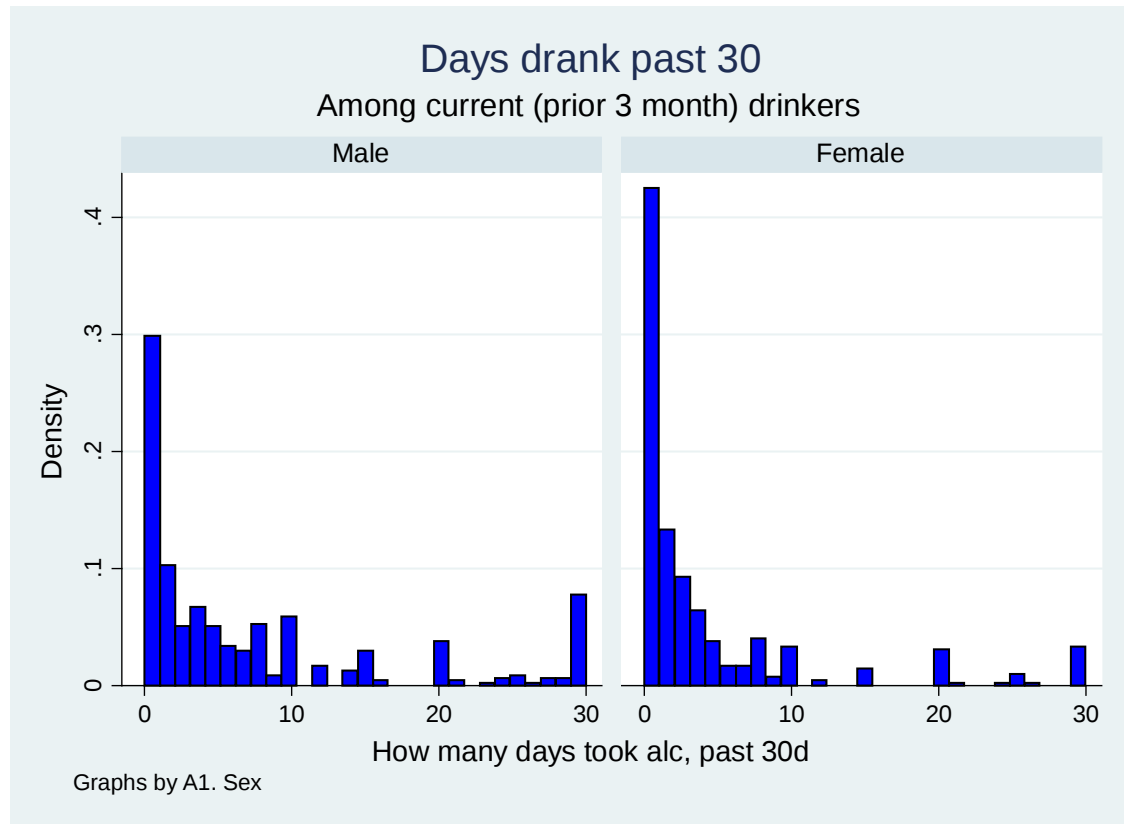
Box plots by another variable

- We can divide up our graphs by another variable
- A way to describe the relationship between a numerical and categorical variable



```
graph box e5, by(, title(Days drank past 30)  
  subtitle(Among current (prior 3 month) drinkers)) by(sex)  
  box(1, fcolor(blue) lcolor(black) fintensity(inten100))
```

Histograms by another variable

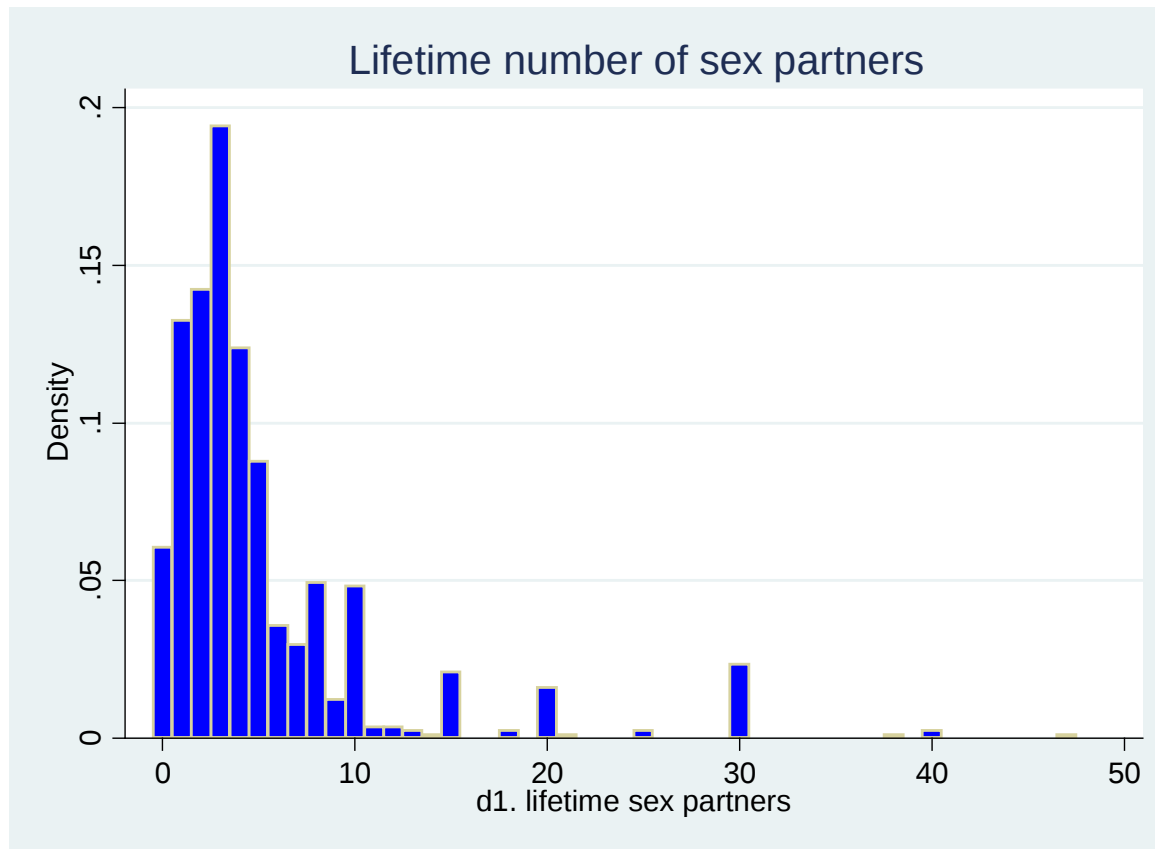


```
histogram e5, by(, title(Days drank past 30)  
subtitle(Among current (prior 3 month) drinkers)) by(sex)  
fcolor(blue) lcolor(black)
```

Histograms help find the mode

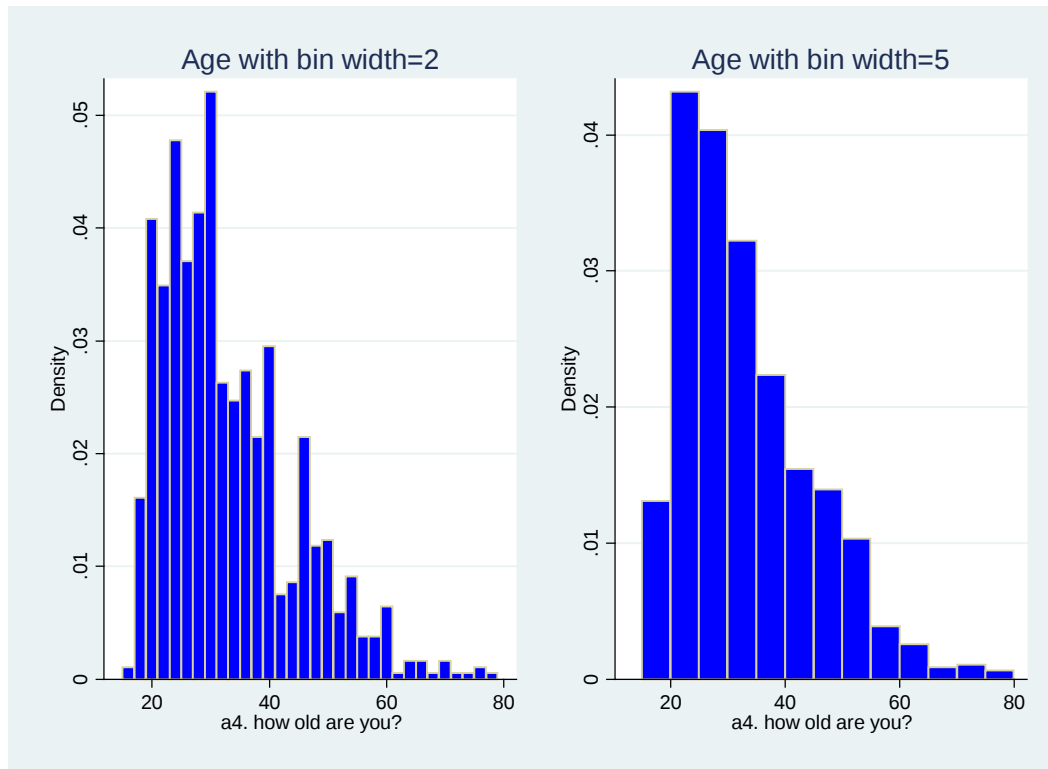
- Mode – the value (or range of values) that occurs most frequently
- Sometimes there is more than one mode, e.g. a bi-modal distribution (both modes do not have to be the same height)
- The mode makes most sense for categorical data
- For continuous data you can find the mode if you categorize the data

- What type of variable is this?
- What is the mode?
- Is the distribution of this variable bi-modal?



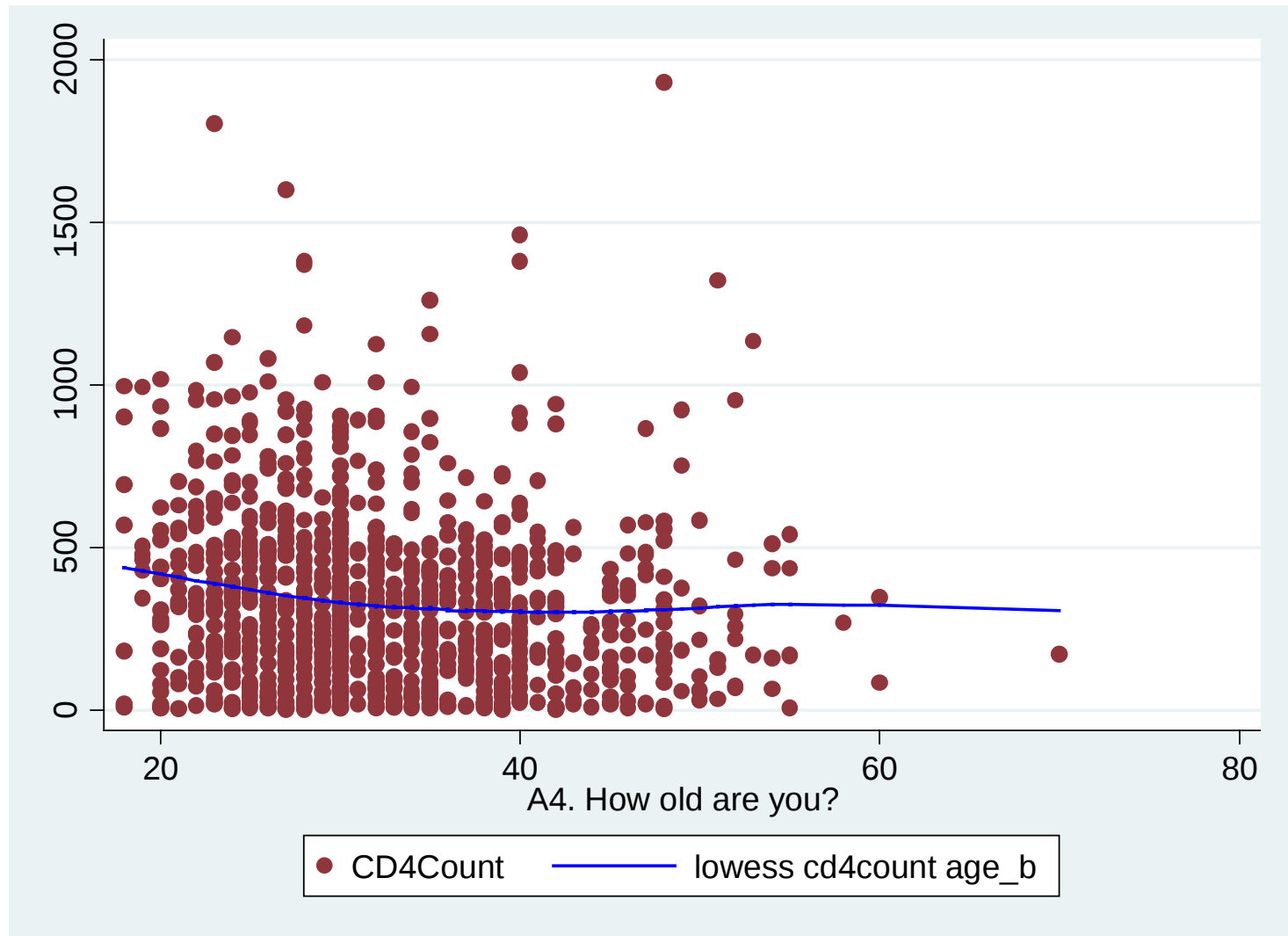
```
hist d1 if d1>=0 & d1<50, discrete fcolor(blue)  
title(Lifetime number of sex partners)
```

- For numerical variables, the mode is dependent on the bin width



```
.hist a4, width(2) fcolor(blue) title(Age with bin width=2)
name(age_2, replace)
.hist a4, width(5) fcolor(blue) title(Age with bin width=5)
name(age_5, replace)
.graph combine age_2 age_5
```

Scatter plots – 2 numerical variables



```
twoway (scatter cd4count age, color(maroon)) (lowess  
cd4count age, lcolor(blue))
```

Numerical variable summaries

- Measures of central tendency – where is the center of the data?
 - Median – the 50th percentile == the middle value
 - If n is odd: the median is the $(n+1)/2$ observations (e.g. if $n=31$ then median is the 16th highest observation)
 - If n is even: the median is the average of the two middle observations (e.g. if $n=30$ then the median is the average of the 15th and 16th observation)
 - Median CD4 cell count in previous data set = 283



In Stata

```
. summarize cd4count, detail
```

CD4Count				

	Percentiles	Smallest		
1%	5	1		
5%	14	2		
10%	36	2	Obs	999
25%	130	2	Sum of Wgt.	999
50%	283		Mean	329.2332
		Largest	Std. Dev.	266.1177
75%	463	1461		
90%	659	1601	Variance	70818.64
95%	866	1804	Skewness	1.444705
99%	1182	1932	Kurtosis	6.518639

Numerical variable summaries

- Range
 - Minimum to maximum or difference (e.g. age range 18-80 or range=62)
 - CD4 cell count range: (0-1932)
- Interquartile range (IQR)
 - 25th and 75th percentiles (e.g. IQR for age: 24-38) or difference (e.g. 14)
 - Less sensitive to extreme values
 - CD4 cell count IQR: (130-463)

Numerical variable summaries

- Measures of central tendency – where is the center of the data?
 - Mean – arithmetic average
 - Means are sensitive to very large or small values
 - Mean CD4 cell count: 329.2
 - Mean age: 31.7

$$\text{Mean: } \bar{x} = \frac{1}{n} \sum_{i=1}^n x_i$$

Interpreting the formula

- $\sum$ is the symbol for the sum of the elements immediately to the right of the symbol
- These elements are indexed (i.e. subscripted) with the letter i
 - The index letter could be any letter, though i is commonly used
- The elements are lined up in a list, and the first one in the list is denoted as x_1 , the second one is x_2 , the third one is x_3 and the last one is x_n .
- n is the number of elements in the list.

$$\sum_{i=1}^n x_i = x_1 + x_2 + \dots + x_n$$

$$\text{Mean: } \bar{x} = \frac{1}{n} \sum_{i=1}^n x_i$$



Numerical variable summaries

- Sample variance
 - Amount of spread around the mean

$$s^2 = \frac{\sum_{i=1}^n (x_i - \bar{x})^2}{n-1}$$

Note: $\sum_{i=1}^n (x_i - \bar{x})^2 = (x_1 + x_2 + x_3 + x_4 + \dots - n\bar{x})^2$



Numerical variable summaries

- Sample standard deviation (SD) is the square root of the variance
 - The standard deviation has the same units as the mean

$$s = \sqrt{\frac{\sum_{i=1}^n (x_i - \bar{x})^2}{n-1}}$$

- SD of CD4 cell count = 266.1 cells/mm³
- SD of Age = 9.9 years

Numerical variable summaries

- Coefficient of variation (CV)

$$CV = \frac{s}{\bar{x}} * 100\%$$

- For the same relative spread around a mean, the variance and standard deviation will be larger for a larger mean
- Uses: Can use CV to compare variability across measurements that are on a different scale (e.g. IQ and head circumference)



CV for CD4 count

```
. summ cd4count, detail
```

CD4Count					

	Percentiles	Smallest			
1%	5	1			
5%	14	2			
10%	36	2	Obs		999
25%	130	2	Sum of Wgt.		999
50%	283		Mean		329.2332
		Largest	Std. Dev.		266.1177
75%	463	1461			
90%	659	1601	Variance		70818.64
95%	866	1804	Skewness		1.444705
99%	1182	1932	Kurtosis		6.518639



CV for age

```
. summ age, detail
```

A4. How old are you?

	Percentiles	Smallest			
1%	18	18			
5%	20	18			
10%	21	18	Obs		3387
25%	24	18	Sum of Wgt.		3387
50%	30		Mean		31.72808
		Largest	Std. Dev.		9.850006
75%	38	75			
90%	46	75	Variance		97.02261
95%	50	78	Skewness		1.030799
99%	60	80	Kurtosis		3.975972

Grouped data

- Sometimes you are given data in aggregate form
- The data consist of frequencies of each individual value or range of values

CD4 cell counts (per mm ³) of persons newly diagnosed with HIV at Mulago Hospital, Kampala (N=999)	
	n (%)
≤50	121 (12.1)
51-250	339 (33.9)
251-500	339 (33.9)
≥500	200 (20.0)

Grouped mean

- The mean uses the midpoint of each group
- For the highest group, the use the midpoint between the cutpoint and the maximum

- Grouped Mean $m_i = \text{the midpoint of the } i^{\text{th}} \text{ group}$
 $f_i = \text{the frequency in the } i^{\text{th}} \text{ group}$
$$\bar{X} = \frac{\sum_{i=1}^k m_i f_i}{\sum_{i=1}^k f_i}$$

$$= (25*121 + 150*339 + 375*339 + 1216*200) / 999$$

$$= 424.6 \text{ cells/mm}^3 \text{ (mean from original data was 329.2)}$$

Grouped standard deviation

- The standard deviation

$$s = \sqrt{\frac{\sum_{i=1}^k (m_i - \bar{x})^2 f_i}{(\sum_{i=1}^k f_i) - 1}}$$

$$= \text{sqrt} \left((25-424.6)^2 * 121 + (150-424.6)^2 * 339 + (375-424.6)^2 * 339 + (1216-424.6)^2 * 200 \right) / 998 = 413.9 \text{ cells/mm}^3$$

(SD from original data was 266.1)

Class survey data analysis

- https://ucsf.co1.qualtrics.com/SE/?SID=SV_3pG8FBLuMhMESfH
-
- Histogram , boxplot of coinvalue, cashvalue
- Mode, Median, 25th percentile, 75th percentile
- Mean, SD
- Differ by gender? Smartphone ownership? Height?

For next time

- Review today's material
 - Read Pagano and Gauvreau Chapters 1-3
- Next week's material (Probability)
 - Read Chapter 6
- Lab this Thursday – Stata review, exploratory data analysis