

Comments on Biostatistics 208 Lab #7 – 2/18/2021

A priori model

Question 1. What are the advantages and disadvantages of selecting a model a priori, based on a well-motivated DAG?

The clearcut advantage is that p -values and confidence intervals retain their theoretical meaning; in contrast, after model selection, we know that the p -values are usually too small and the CIs too narrow, but not by how much. Of course, you have to be able to motivate the model persuasively, but the determinants of BMD are reasonably well understood. A disadvantage is that we can end up including unimportant variables, potentially inflating the standard error for `eeu` unnecessarily – or exclude something important, opening the door to residual confounding.

Removing less important B-list variables

Question 2. Interpret the estimated coefficient for EEU from the final model, in the relevant units (g/cm² for BMD and 100 Kcal/day for EEU). Suppose that walking a mile uses 150 Kcal. On average, how much increase in BMD would the model lead us to expect if a woman increased her average daily EEU by this amount? Given that average BMD is about 0.73 g/cm², would that effect on BMD be clinically significant? How does the effect of 150 Kcal/day compare in magnitude to the effect of a 10% increase in weight or current use of estrogen?

Focusing on the estimate of 0.0017 g/cm² per 100 Kcal from model selected by `cic`, an additional mile of walking per day would ideally be expected to increase BMD by 0.0026 g/cm², or about 0.35% of the average level of 0.73 g/cm². In contrast, a 10% increase in weight is associated with an increase of 0.074 g/cm², and current use of estrogen is associated with an additional 0.079 g/cm², both representing increments of more than 10% of the average value.

Question 3. Are the results for `eeu` sensitive to changes in these two options?

Essentially not: the coefficients for `eeu` differ very little between models, and the p -values are all trivially greater than 0.05.

Question 4. How much support do these data provide for the hypothesis that exercise increases BMD?

My take is that these data do provide weak support for the hypothesis, but suggest that the effect isn't particularly large. Only big increases in exercise energy use would be expected to have substantial effects, and it is not easy to get people to exercise that much, especially older people at high risk for osteoporosis and fractures.

Optional: backwards selection using p -values

Question 5. Consider the effect of modifying the p -value required for inclusion. Try out using criteria of $p < 0.10$ and $p < 0.05$. How and why do the results change?

Note that all three models use just the 2542 observations with complete data on the entire initial list of variables. The reduction in the standard error for `eeu` in the smaller models is relatively minor; the bigger change is the increase in the estimate for `eeu` from about 0.0017 g/cm² per 100

Kcal, as in the models selected by `cic`, to about 0.0020, an increase of more than 15%, suggesting that there is some residual confounding of the effect of `eeu` by gait speed and hip abductor strength, the additional variables that get removed.

Question 6. We could modify the list of physical function variables considered for inclusion in the model to reflect concerns about the numbers of missing values for tandem stand and hip abductor strength. What happens if we omit them from the list?

This retains a larger number of observations, and results in a nominally statistically significant estimate for `eeu`. However, opinion about the effect of EEU on BMD should not be strongly influenced by these minor differences in *p*-values.

Optional: model selection using LASSO regression (Stata 16)

Below is abbreviated output from the LASSO analysis. Note that use of the random seed (`rseed(2202020)`) in the `split` command should make your results the same as those presented here. As discussed in lecture, seeding a random number generator ensures that the same sequence of random numbers will be used for commands and programs that require them (e.g. sample splitting, bootstrapping, cross-validation & simulations). Any number can be used as a seed.

Note that the displayed shrunken coefficients from the LASSO model (`lassocoeff` command) are displayed using the `standardize` option because the LASSO is fit using standardized versions of predictors. (This is done to put all the predictors on a similar scale for estimation purposes.) Also, note that `smoker` is not present because this variable was not selected. (i.e. its coefficient was shrunken to effectively zero.)

```
. * split the data into training & validation groups, and create a group indicator
differentiating them
. splitsample, generate(group) split(0.75 0.25) rseed(2202020)
```

```
. * display group and overall mean outcome values
. tabulate group, summarize(bmd)
```

group	Summary of BMD		Freq.
	Mean	Std. Dev.	
1	.73009549	.13540008	2,084
2	.73184317	.13614306	695
Total	.73053257	.13556385	2,779

```
.
. * run the LASSO on outcome and predictors in the training group
. lasso linear bmd eeu age lweight i.estrogen calsupp diuretic etid momhip usearms
i.tandstnd has10 gs10 gaitspd
> poorhlth caffeine drnkspwk smoker if group == 1
```

```
10-fold cross-validation with 100 lambdas ...
Grid value 1:      lambda = .0693681    no. of nonzero coef. =      0
Folds: 1...5....10    CVF = .0179829
Grid value 2:      lambda = .0632056    no. of nonzero coef. =      1
Folds: 1...5....10    CVF = .0172221
Grid value 3:      lambda = .0575906    no. of nonzero coef. =      1
Folds: 1...5....10    CVF = .0165425
Grid value 4:      lambda = .0524744    no. of nonzero coef. =      1
Folds: 1...5....10    CVF = .0159783
Grid value 5:      lambda = .0478127    no. of nonzero coef. =      1
Folds: 1...5....10    CVF = .0155099
```

Folds: 1...5....10 CVF = .0120153

- Output excluded

```
Grid value 48:  lambda = .0008753  no. of nonzero coef. = 19
Folds: 1...5....10  CVF = .0120152
Grid value 49:  lambda = .0007976  no. of nonzero coef. = 19
Folds: 1...5....10  CVF = .0120154
Grid value 50:  lambda = .0007267  no. of nonzero coef. = 19
Folds: 1...5....10  CVF = .0120156
... change in deviance stopping tolerance reached ... last lambda selected
```

```
Lasso linear model          No. of obs      =      1,900
                          No. of covariates =      22
Selection: Cross-validation No. of CV folds  =      10
```

ID	Description	lambda	No. of nonzero coef.	Out-of- sample R-squared	CV mean prediction error
1	first lambda	.0693681	0	0.0012	.0179829
47	lambda before	.0009607	19	0.3327	.0120153
* 48	selected lambda	.0008753	19	0.3327	.0120152
49	lambda after	.0007976	19	0.3327	.0120154
68	last lambda	.0001362	20	0.3320	.012028

* lambda selected by cross-validation.

```
. * store results for futher analysis
. estimates store cv
```

```
. cvplot
```

```
. lassocoeff cv, display(coef) sort(coef, standardized)
```

	cv
lweight	.0667905
estrogen current	.0229486
usearms	-.0113085
age	-.0087306
caffeine	-.0083018
tandstnd good	.007472
etid	-.0063319
calsupp	-.0045198
momhip	-.0042051
eeu	.0040263
tandstnd not done	-.0036527
has10	.0025983
estrogen never	-.0019414
diuretic	.0012427
gaitspd	.0009898
poorhlth	-.0007748
gs10	.0005548
drnkspwk	.0003936
tandstnd poor	-.0001638
_cons	0

 Legend:
 b - base level
 e - empty cell
 o - omitted

```
. lassogof cv, over(group)
```

Penalized coefficients

Name	group	MSE	R-squared	Obs
cv	1	.011775	0.3460	1,900
	2	.0120212	0.3471	642

