

Survival Analysis III

John Kornak
April 15, 2014

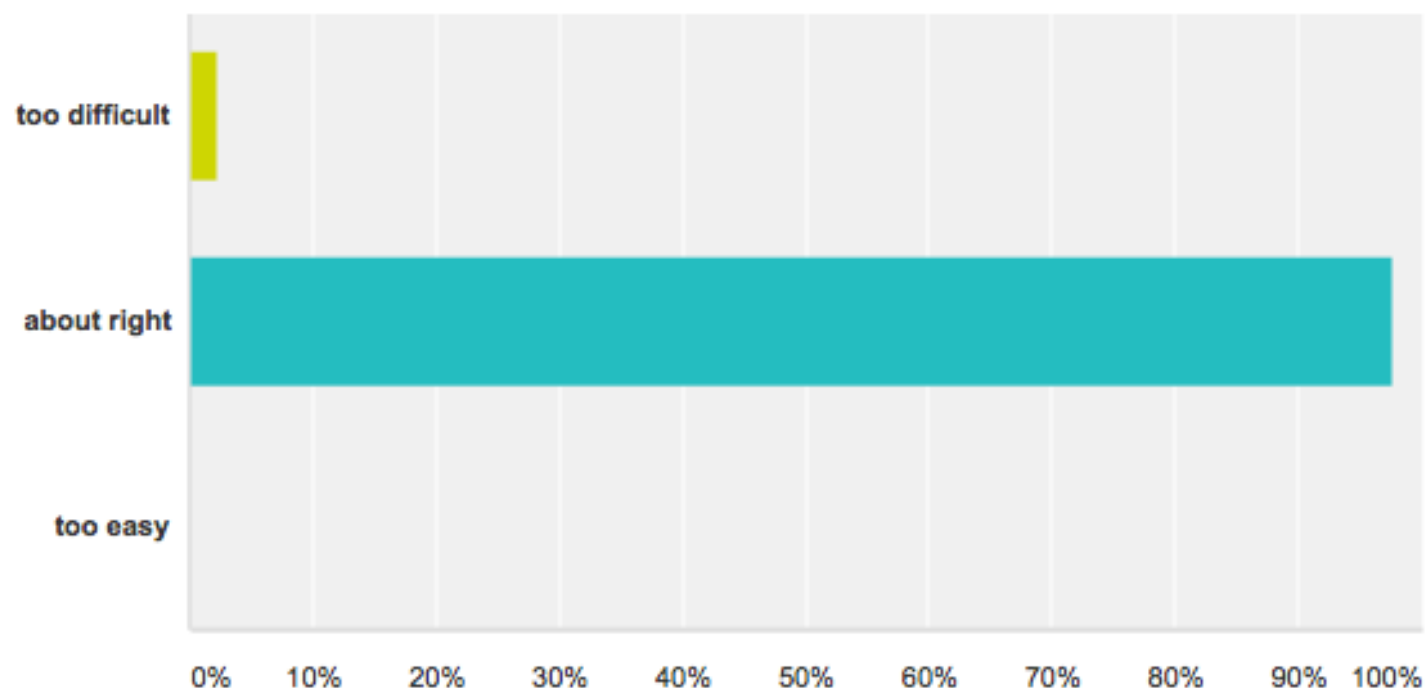
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Reading VGSM 6.3 - 6.5

- Homework #1 due Today in class
- Homework Q/A after class today 12-1
- Lab 3 on Thursday 10.30 - 6702 & 6704
- Homework #2 due next Tuesday (4/22) in class

Is the level of the survival lectures

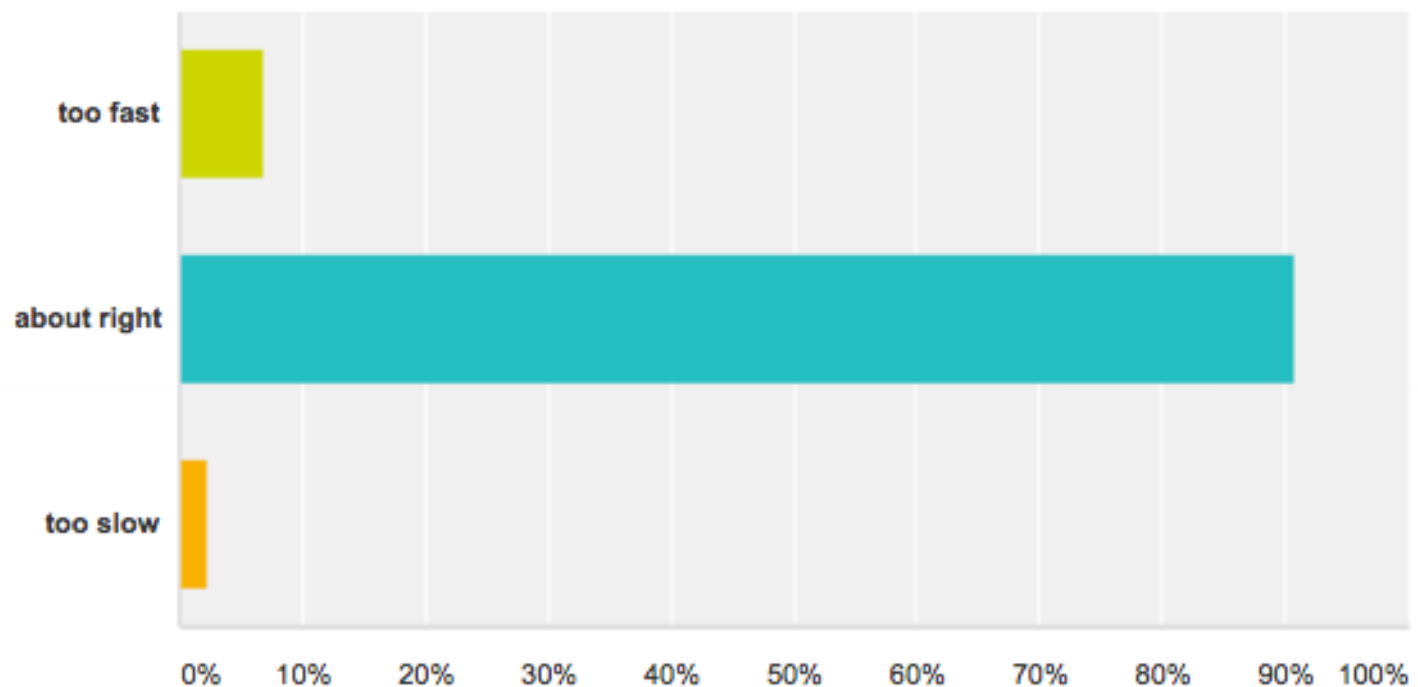
Answered: 44 Skipped: 0



Answer Choices	Responses	
too difficult	2.27%	1
about right	97.73%	43
too easy	0.00%	0
Total Respondents: 44		

Is the pace of the survival lectures

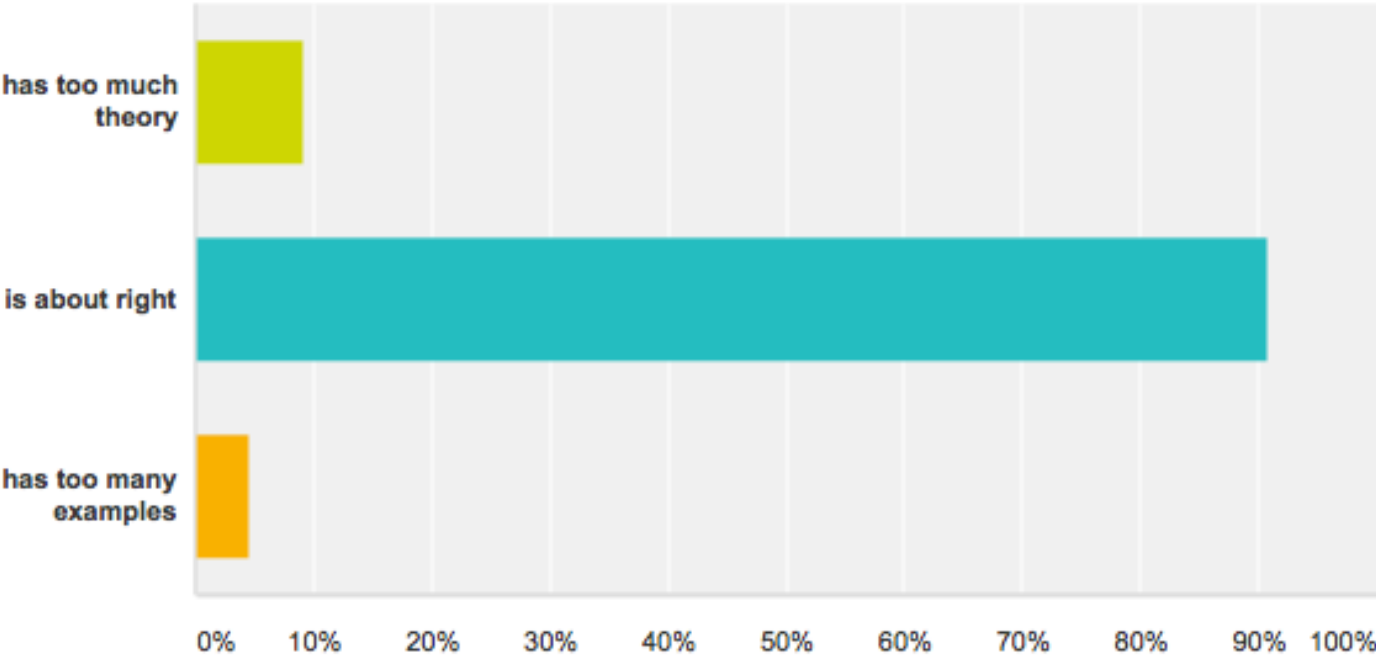
Answered: 44 Skipped: 0



Answer Choices	Responses	
too fast	6.82%	3
about right	90.91%	40
too slow	2.27%	1
Total Respondents: 44		

Do you think the balance between theory and examples

Answered: 44 Skipped: 0

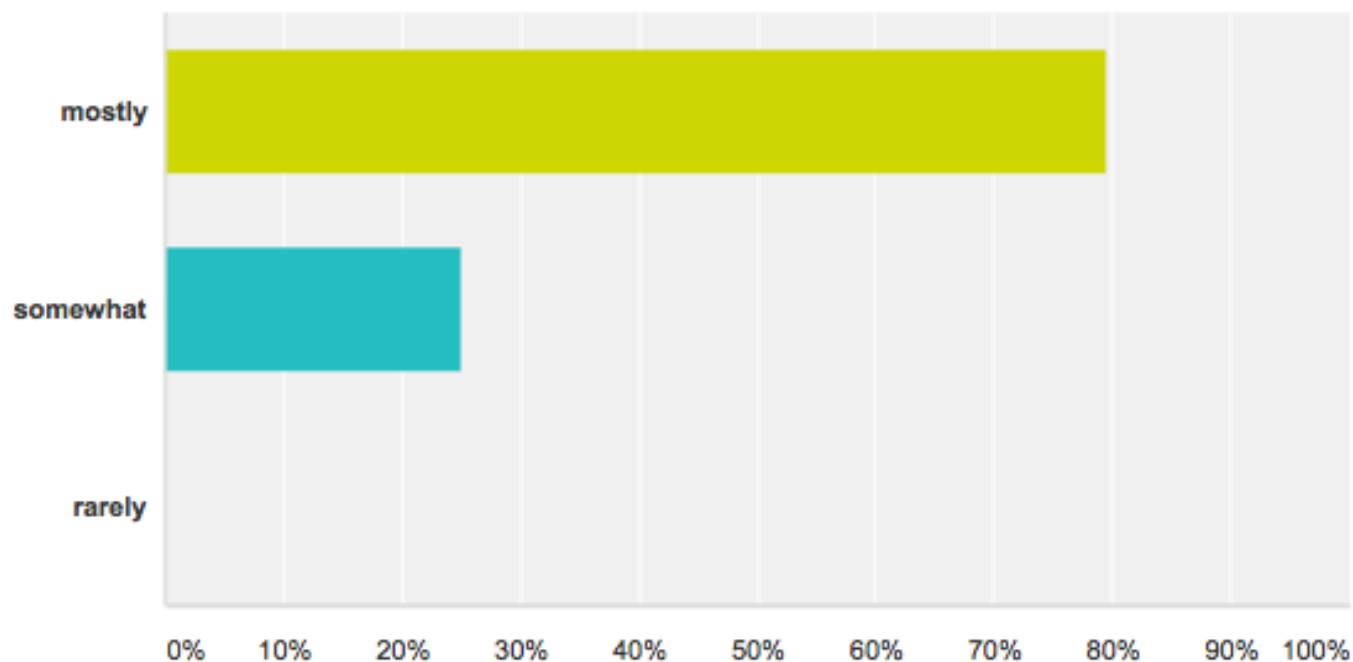


Answer Choices	Responses	
has too much theory	9.09%	4
is about right	90.91%	40
has too many examples	4.55%	2

Total Respondents: 44

Do you feel that you are following the main concepts

Answered: 44 Skipped: 0



Answer Choices	Responses	
mostly	79.55%	35
somewhat	25.00%	11
rarely	0.00%	0
Total Respondents: 44		

Comments

- Make slides available prior to class
- Post lab solutions faster after class
- Make sections more structured
- Remember to repeat questions for online viewers
- Explain theory covered in more detail – diagrams etc.
- Give more detail/narratives on results interpretation in analysis
- Put more words on the slides
- “I have trouble with the theory. I think it'd be helpful to have a bit more, but I don't think I'd like it! The book does a nice job with supporting theory so maybe not necessary to increase in the lectures.”

So far...

- Survival data and censoring
- Reviewed Kaplan-Meier survival curves and Logrank test
- Hazard function and hazard ratio (HR)
- Proportional hazards model
- Cox Model (no baseline hazard)
- Binary, categorical and continuous predictors
- Wald and likelihood ratio tests
- Zero/infinite HR
- Confounding, mediation, adjusting for other variables
- Interactions and `lincom` statements (danger of extrapolation)

In this lecture

(extensions to the Cox model)

- Adjusted survival curves
- Time-dependent covariates
- Diagnostics (model checking) - proportional hazards?
- Non-proportional Hazards: Stratification
- Non-proportional Hazards: generate time-dependent covariates trick
- Diagnostics (model checking) – linearity of predictors?
- Other methods: Clustered data, Left-Truncation, Interval-censoring

Evaluating Cox model fits: Adjusted Survival Curves

Effect of Sex: PBC data

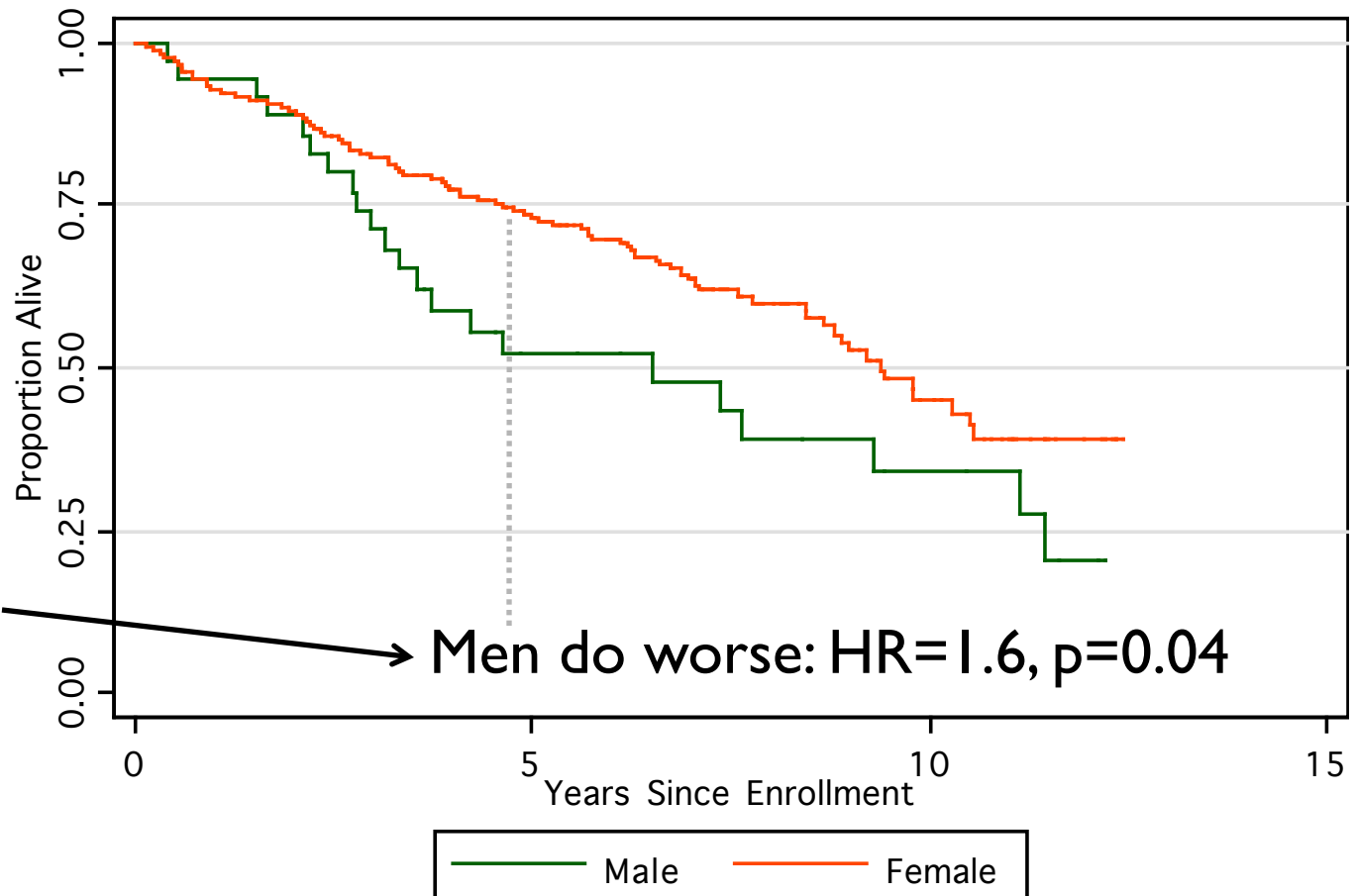
(unadjusted comparison)

```
use pbc.dat
```

```
stset years, failure(status)
```

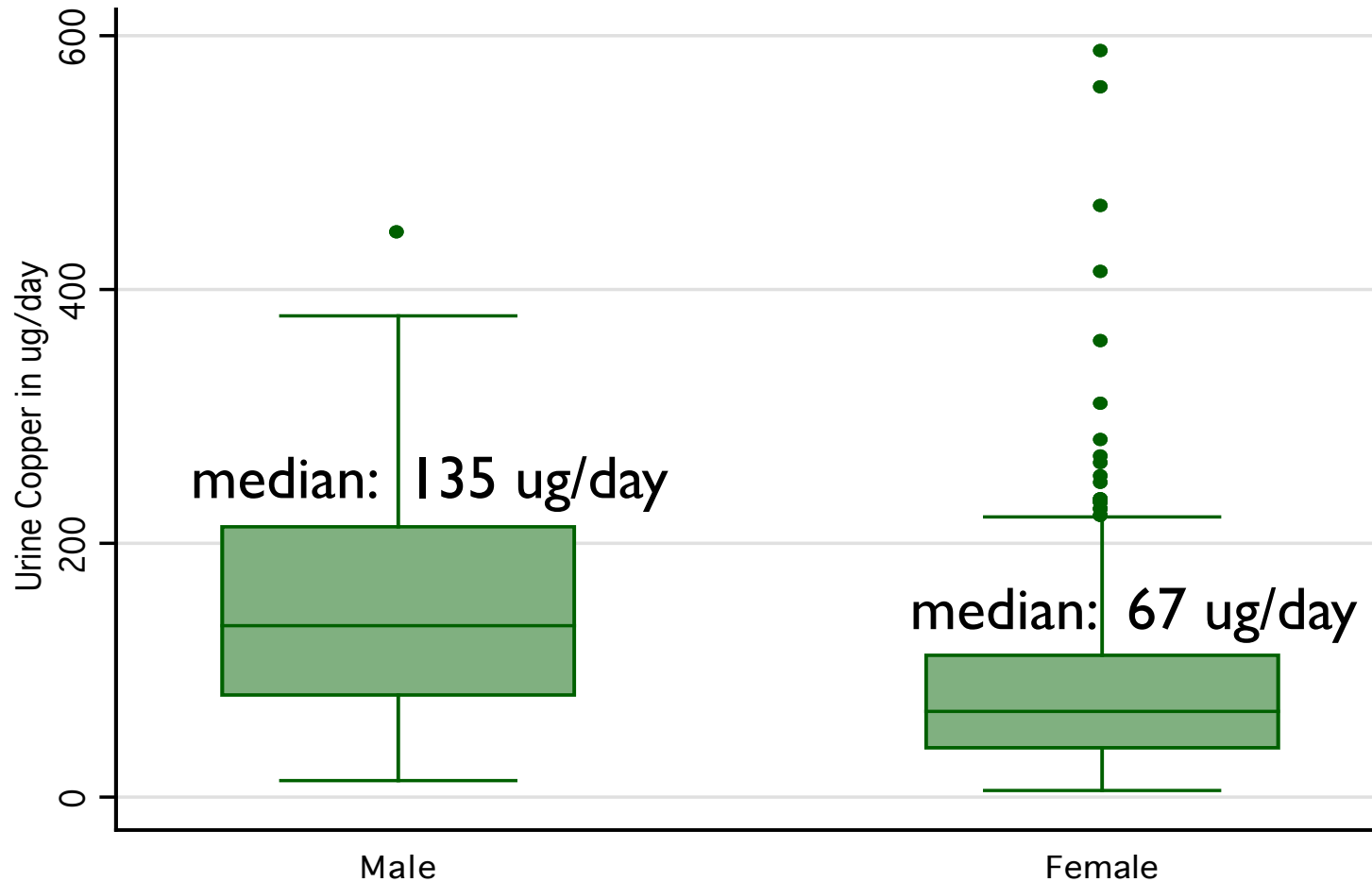
```
sts graph, by(sex)
```

```
stcox sex  
(Cox model fit)
```



Men: Higher Copper

graph box copper, by (sex)



Adjusted Survival Curves

- Would like to visualize the adjusted effects of variables (e.g., controlling for copper)
- Can make survival prediction based on a Cox model
- $S(t|x)$: survivor function (event-free proportion at time t) for someone with predictors x

Under the Cox Model

$$S(t|x) = S_0(t)^{\exp(\beta_1 x_1 + \dots + \beta_p x_p)}$$

β 's are the coefficients from the Cox model

$S_0(t)$:= baseline survivor function

= survivor function when all predictors equal zero

In Cox model we see estimates of $\exp(\beta_p)$

In background, Stata calculates estimates of $S_0(t)$

Adjusted Curve

- Look at effect of x_1 (sex) adjusting for x_2 (copper)
- Create two curves with same value for x_2 (we are not really adjusting for copper, we are examining the effect of sex with copper held constant)
- But copper differs by sex! – so should we use sex-specific adjustments?
- So what value for x_2 ?
the choice of value will affect the curves
- Let's use overall mean or median

Compare Adjusted Curves I

```
. stcox sex copper
```

-----+-----							
_t		Haz. Ratio	Std. Err.	z	P> z	[95% Conf. Interval]	
-----+-----							
sex		1.171796	.2996835	0.62	0.535	.7098385	1.934391
copper		1.006935	.0008328	8.36	0.000	1.005304	1.008569
-----+-----							

```
. stcurve, survival at1(sex=0) at2(sex=1)
```

stcurve: gives predicted curves

survival: graph survival (not hazard default)

at1: (value for curve 1)

at2: (value for curve 2)

Note that the copper default is fixed at overall mean(=97.6)

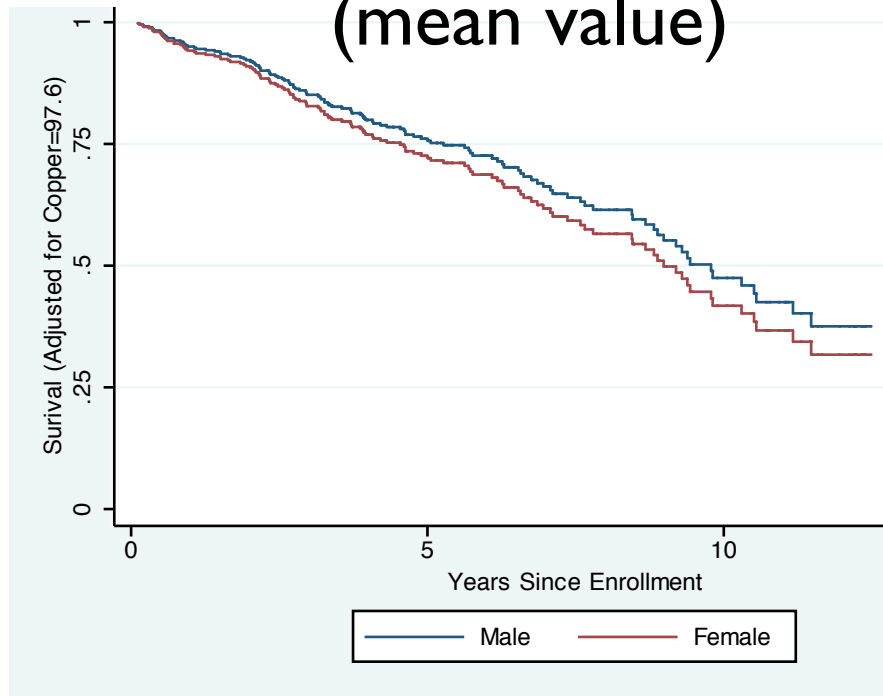
```
. stcurve, survival at1(sex=0 copper=97.6) at2(sex=1 copper=97.6)
```

gives same result

Compare Adjusted Curves 2

```
stcurve, survival at1(sex=0) at2(sex=1)  
stcurve, survival at1(sex=0 copper=73) at2(sex=1 copper=73)
```

copper set to 97.6
(mean value)



copper set to 73
(median value)



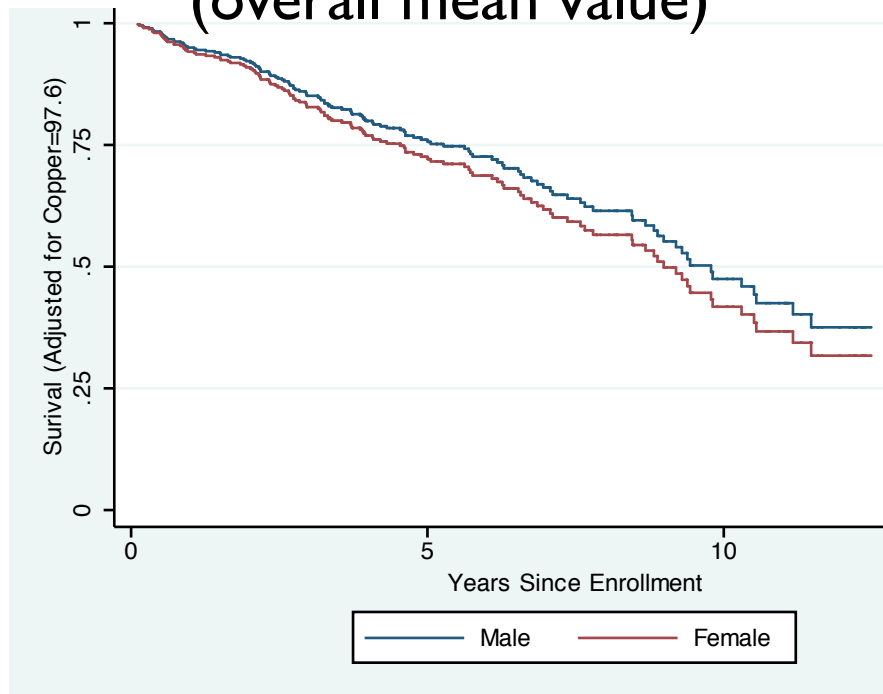
reference value for copper matters

Compare Adjusted Curves 3

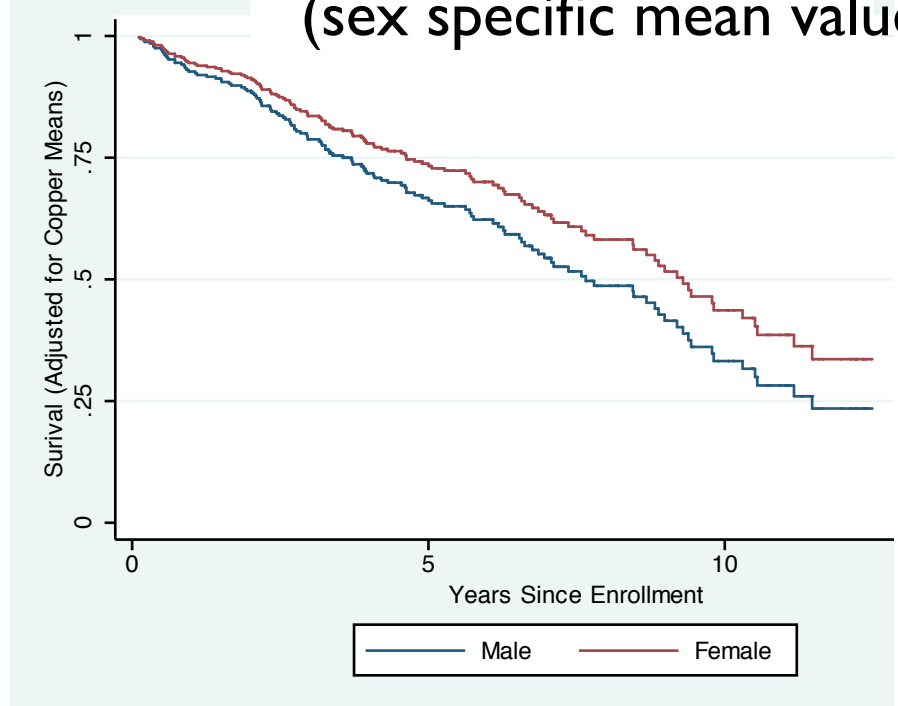
```
stcurve, survival at1(sex=0) at2(sex=1)
```

```
stcurve, survival at1(sex=0 copper=154) at2(sex=1 copper=90)
```

male and females= 97.6
(overall mean value)



male copper=154, female copper=90
(sex specific mean values)



adjusting for sex differences in copper matters

Adjusted/Predicted Curves

- Can be useful for visualizing effect of predictor
- Must choose reference values for confounders
 - often choose mean for continuous variable
 - most common category for categorical
- `stcurve` is a flexible tool for creating adjusted or predicted survival curves
- Summary: Look at survival curves with `stcurve` while fixing other variables in the model

Time Dependent Covariates

A time-dependent covariate in a Cox model is a predictor whose values may vary with time

... and is measured (or evaluated) at multiple times during the study

Example

- Risk factors for pregnancy in a cohort of HIV infected women in Uganda
- Is the development of pregnancy affected by CD4 cell counts?
- We could consider only baseline CD4 count as a predictor (i.e. CD4 value at study onset)
- *But, CD4 cell count measured throughout the study!*
- Multiple measures of CD4 during study could provide additional prognostic information

Example

E.g., Patient #24901:

CD4 at baseline: 143

CD4 at day 123: 202

CD4 at day 216: 344

CD4 at day 284: 373

Pregnant on day 380

Data

multiple records per subject

	idno	t_from	t_to	cd4	prg
218.	24901	0	123	143	0
219.	24901	123	216	202	0
220.	24901	216	284	344	0
221.	24901	284	380	373	1
229.	25601	0	117	112	0
230.	25601	117	216	304	0
231.	25601	216	293	319	0
232.	25601	293	379	297	0
233.	25601	379	468	302	0
234.	25601	468	560	264	0
235.	25601	560	574	277	0
236.	25601	574	651	277	0
237.	25601	651	738	268	0

- **idno:** subject id #
- **t_from:** start of interval
- **t_to:** end of interval
- **cd4:** cd4 cell count during interval
- **prg:** pregnancy
(1 = yes, 0 = no)

Stata syntax to define dataset:

```
stset t_to, failure(prg) id(idno)
```

TDC Cox model

```
gen cd4_50 = cd4/50
stcox cd4_50
```

No. of subjects =	702	Number of obs =	4935
No. of failures =	85		
Time at risk =	448321		
Log likelihood =	-485.32684	LR chi2(1) =	129.91
		Prob > chi2 =	0.0000

_t	Haz. Ratio	Std. Err.	z	P> z	[95% Conf. Interval]
cd4_50	.5456291	.0344751	-9.59	0.000	.4820756 .6175612

Interpretation: a 50 cell increase in CD4 cell count (at any time point) is associated with a 45% reduction in the rate of pregnancy, 95% CI (-52% to -38%), $p < 0.001$

A different TDC example...

- Does lung transplant extend life of patients with Cystic Fibrosis?
- Outcome: Time from listing to death or censoring
- Predictor: Received lung transplant (yes or no)

Possible problem?

A different TDC example...

- Does lung transplant extend life of patients with Cystic Fibrosis?
- Outcome: Time from listing to death or censoring
- Predictor: Received lung transplant (yes or no)
- Bias: waiting list mortality!

Short-term survivors unlikely to get a transplant!

Solution

Treat transplant as a time-dependent covariate

$$tx(t) = \begin{cases} 0 & \text{before transplantation} \\ 1 & \text{after transplantation} \end{cases}$$

$$h(t|tx) = \begin{cases} h_0(t) & \text{before transplantation} \\ \exp(\beta) h_0(t) & \text{after transplantation} \end{cases}$$

group membership changes over time

Summary

TDC Cox Model

- TD Covariates useful when values of predictors change
- Key is to set up dataset properly
- Straightforward fitting the Cox model
- We will look at another way to use TDC to accommodate non-proportional hazards later...

Diagnostics for model
checking: *testing the
proportional hazards
assumption*

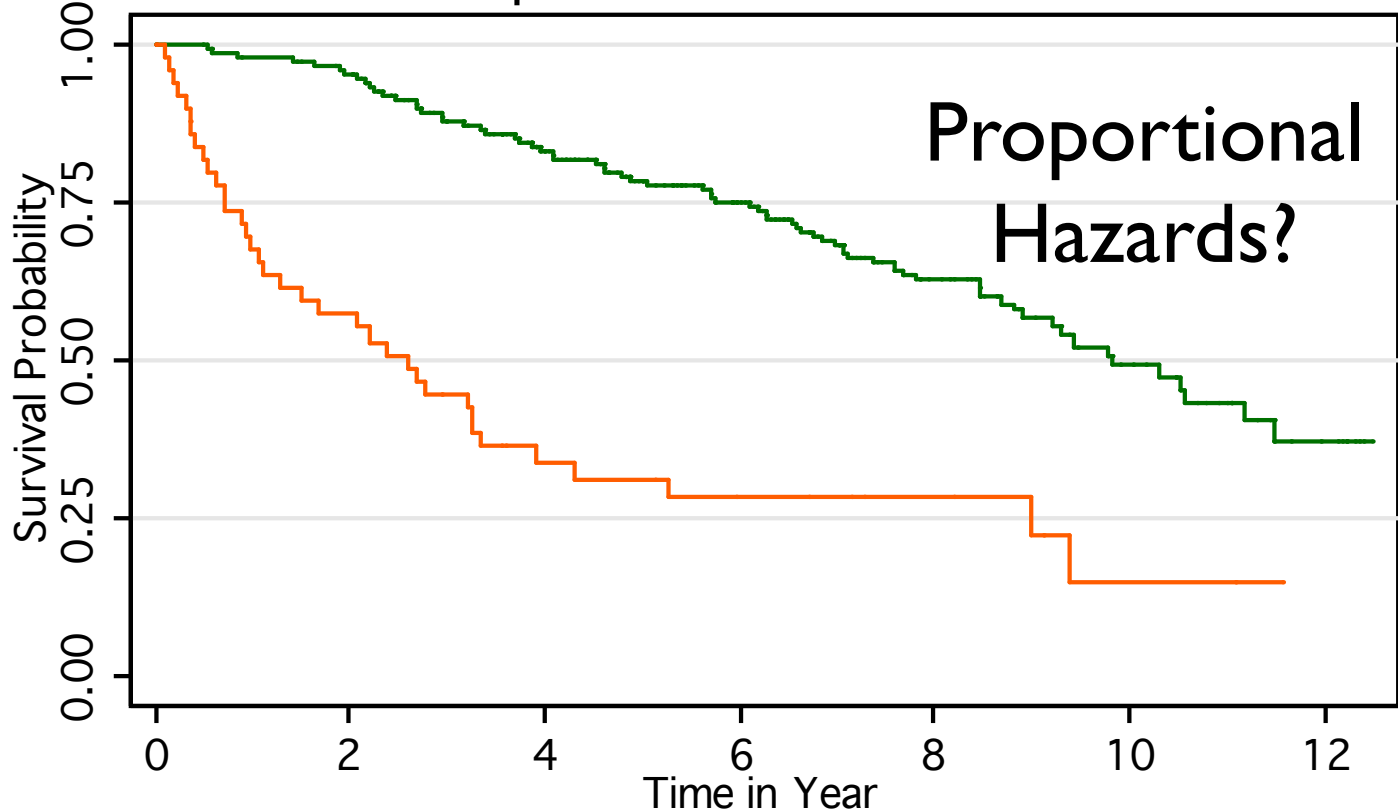
**“all models are wrong,
but some are useful...”**

George Box - statistician (1987)

Model Checking PBC Data

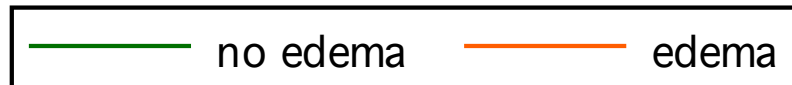
stsgraph, by(edema)

Kaplan-Meier estimates



Number at risk

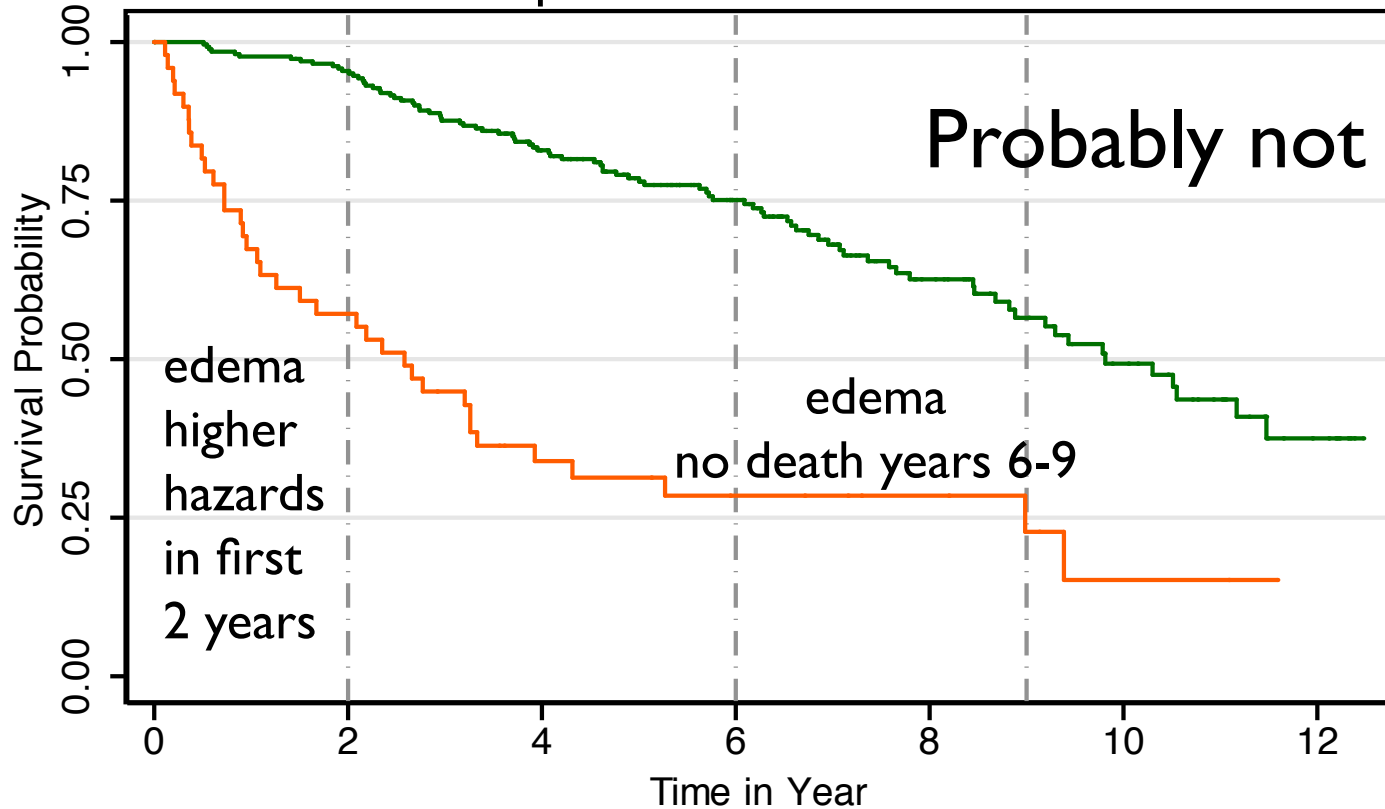
edema = 0	263	250	181	121	61	30	8
edema = 1	49	28	13	9	6	2	0



Proportional Hazards?

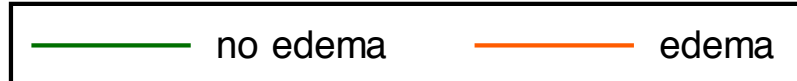
stsgraph, by (edema)

Kaplan-Meier estimates



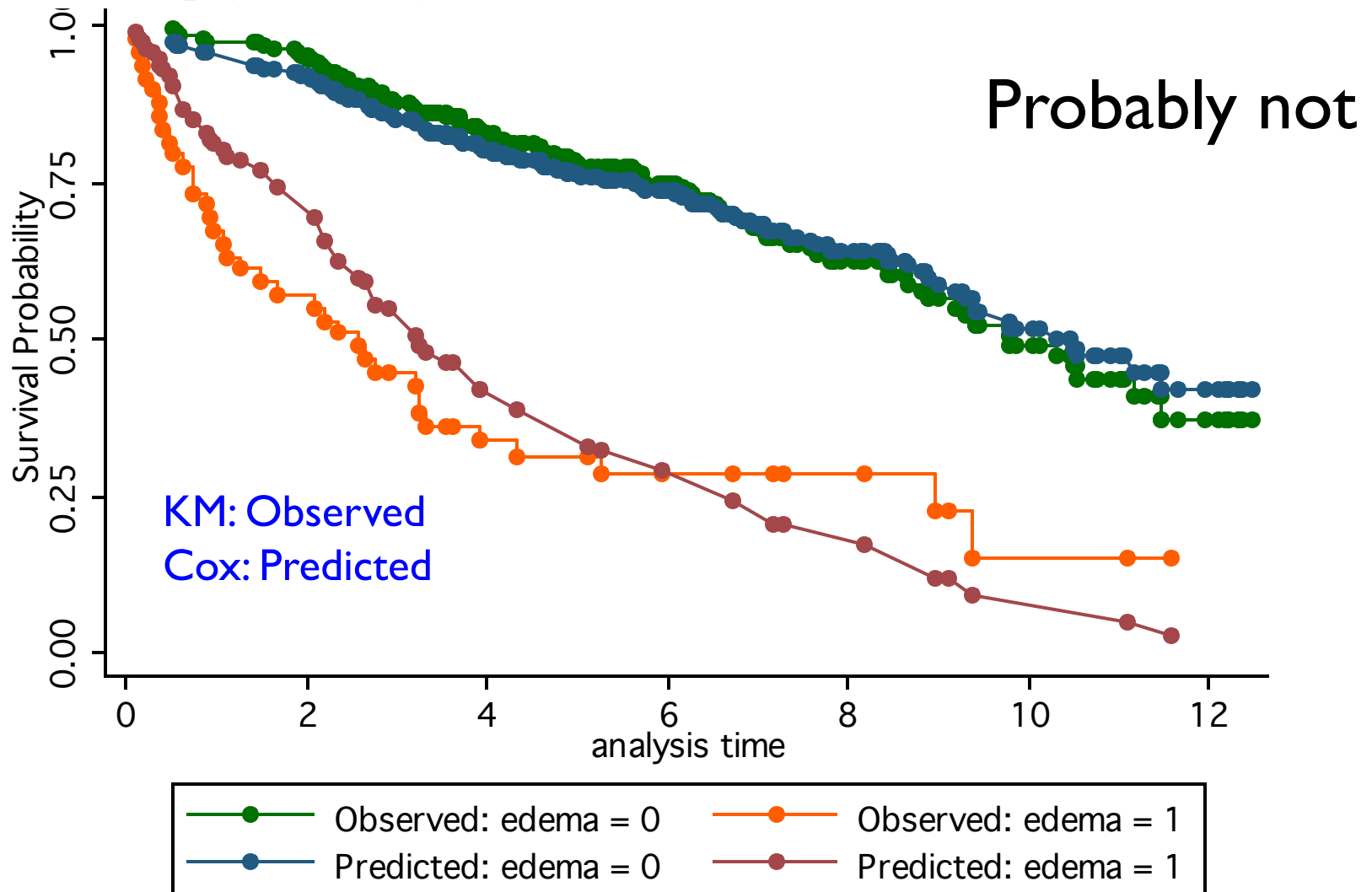
Number at risk

edema = 0	263	250	181	121	61	30	8
edema = 1	49	28	13	9	6	2	0



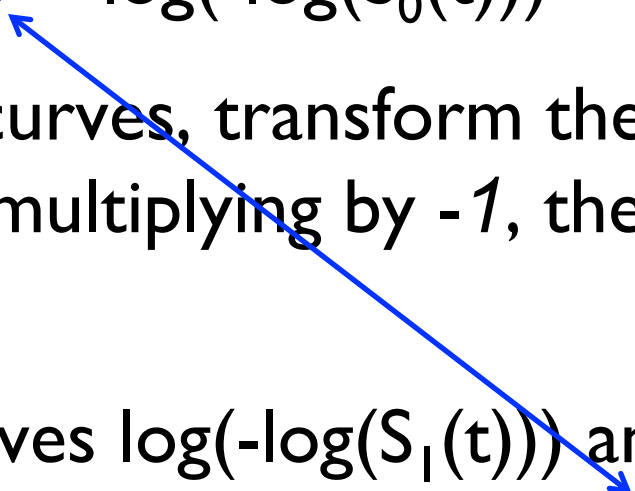
Proportional Hazards?

stcoxkm, by(edema) – Kaplan-Meier and predicted survival plot



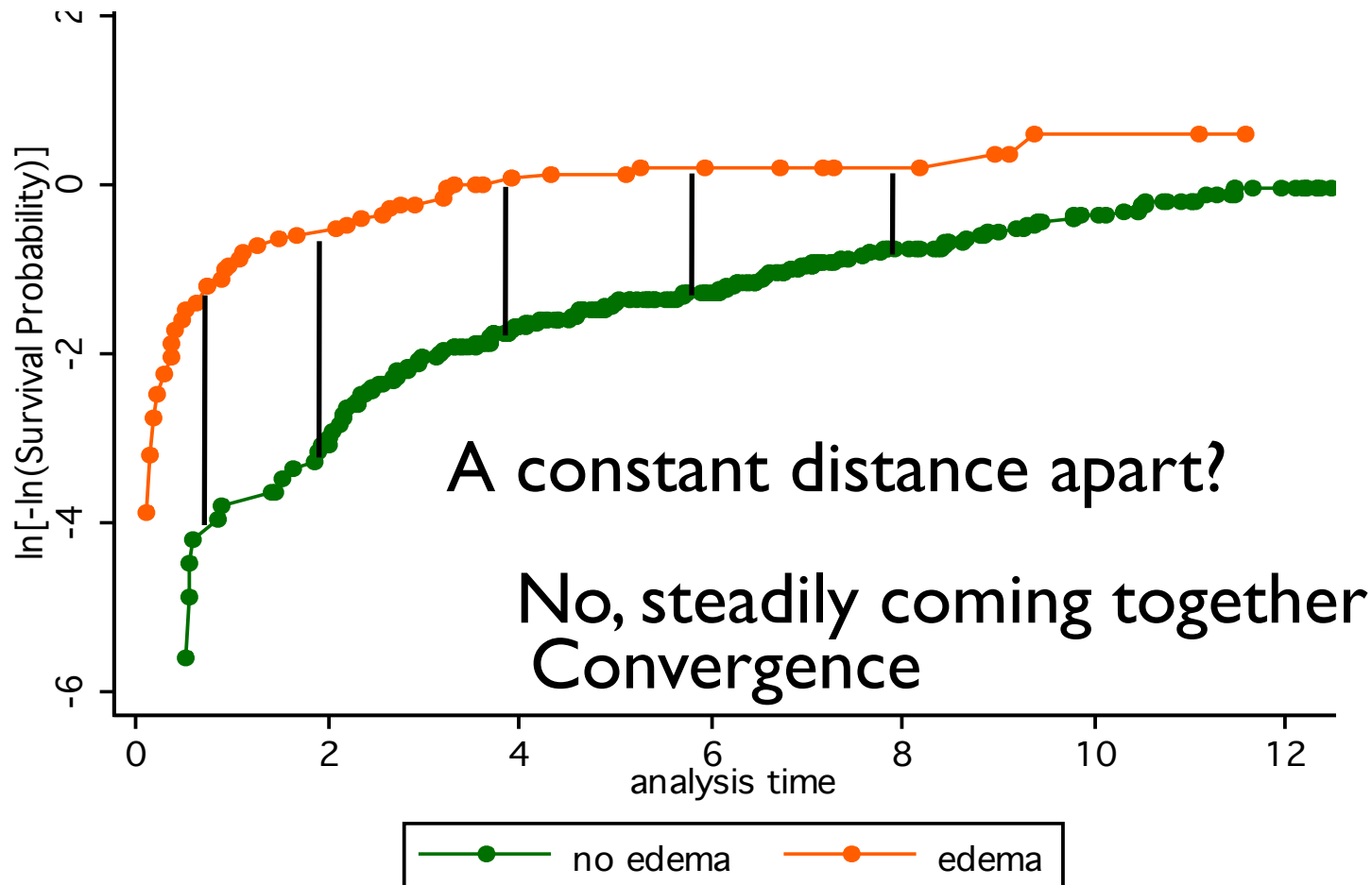
Log minus log plots

Under the Cox model:

- $\log(-\log(S_1(t))) = \beta + \log(-\log(S_0(t)))$
 - Estimate survival curves, transform them by:
(1) taking log, (2) multiplying by -1, then (3) taking log again
 - Therefore the curves $\log(-\log(S_1(t)))$ and $\log(-\log(S_0(t)))$ should be a constant distance apart
- 

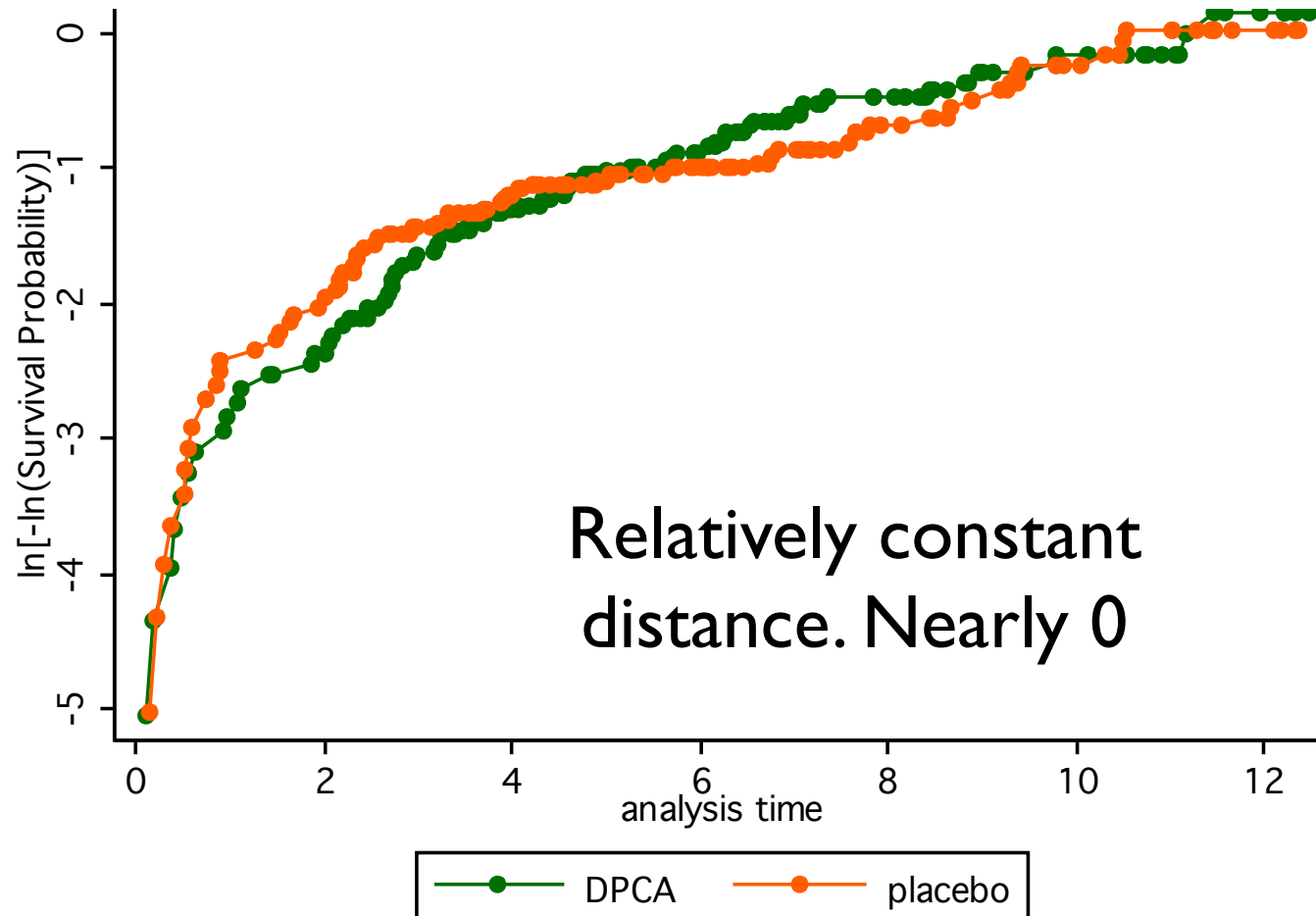
Log minus log plot: edema

stphplot, by(edema) nonegative nolntime -
log minus log curves for edema



Log minus log plot: rx

stphplot, by(rx) nonegative nolntime -
log minus log curves for rx



Interpreting Curves

- Easily calculated (pro)
- Naturally subjective (con)
 - Not so easy to interpret
 - Look for pronounced convergence/divergence, or marked crossing
- Only works for categorical variables (con)
- Multiple crossing is evidence of a lack of overall effect (i.e., difference=0, HR=1)

Smoothed Hazard Ratio

- Possible to use “residuals” to estimate shape of hazard ratio over time
- $HR(t)$: hazard ratio at time t
 - If $HR(t)$ is reasonably constant: prop. hazards
 - If not, gives description of shape of HR
- The method estimates $\log(HR(t)) = \beta(t)$

How does it work?

- Fit Cox model with relevant predictors
- Obtain “scaled Schoenfeld residuals”
complex formula to generate residuals for each predictor & time point
- LOWESS: smooth residuals vs. time
- Plot the smooth curve estimates of $\beta(t)$
- *Note that estimated curves may change with bandwidth selection*

Stata

```
gen age10 = age/10
```

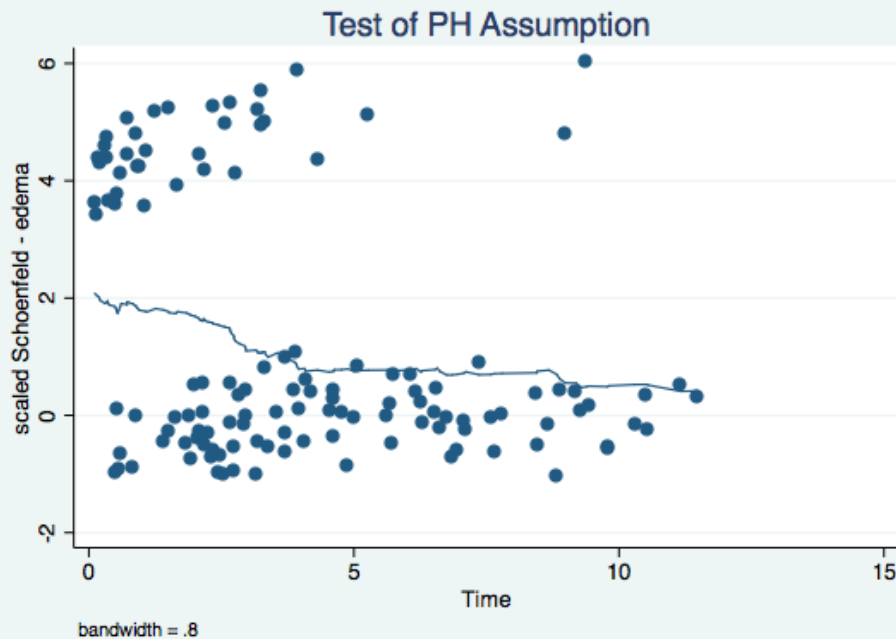
```
stcox edema age10, scaledsch(r_edema r_age)  
=> saves residuals r_edema for edema, r_age for age10
```

```
No. of subjects =          312          Number of obs   =          312  
Log likelihood  =      -614.3788      Prob > chi2      =          0.0000
```

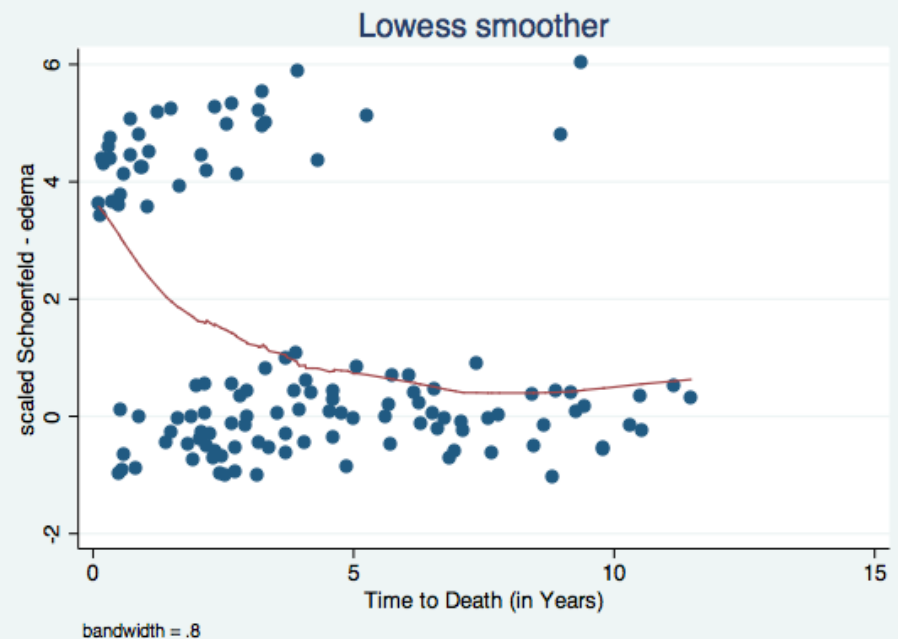
_t	Haz. Ratio	Std. Err.	z	P> z	[95% Conf. Interval]	
edema	3.471158	.7099928	6.08	0.000	2.324711	5.182981
age10	1.355471	.1166134	3.54	0.000	1.145143	1.604429

$\beta(t)$ for edema

`estat phtest, plot(edema)`



`lowess r_edema years`



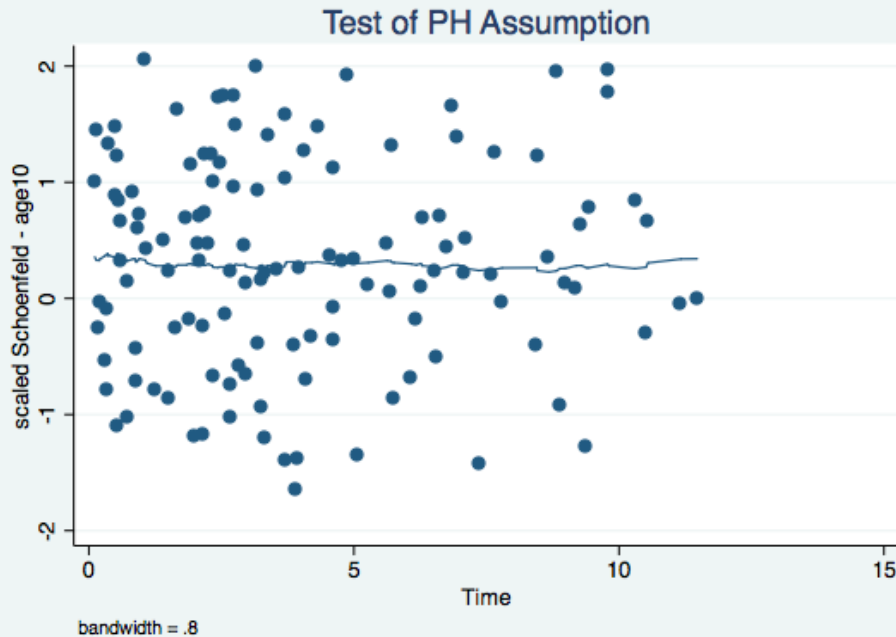
*running mean smoother r_edema vs. time
to estimate $\beta(t)$*

*lowess smoother r_edema vs. time
to estimate $\beta(t)$*

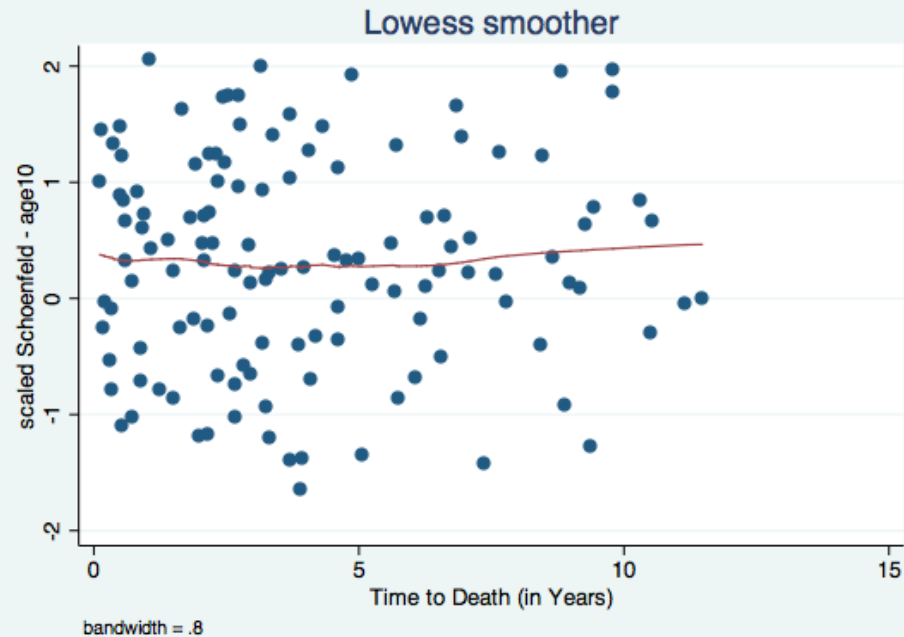
flat line? line is not flat, HR is not constant

$\beta(t)$ for age10

`estat phtest, plot(age10)`



`lowess r_age years`



*running mean smoother `r_age` vs. time
to estimate $\beta(t)$*

*lowess smoother `r_age` vs. time to
estimate $\beta(t)$*

flat line? line is approximately flat, HR is relatively constant

Smoothing Hazard Ratio

- Present the smoothed curves as a summary
- Augment it with the table to explain the HR
- Get those values by typing

```
lowess r_edema years, gen(smloghr) nogr  
gen smhr=exp(smloghr)  
sort years  
list years sm* if status==1
```

Lowess $\beta(t)$ values for edema

Years	Log HR	HR
1	2.5	12.2
2	1.6	5.1
4	0.86	2.4
6	0.58	1.8

Test of Proportional Hazards

- Null hypothesis: Hazards are proportional
i.e., $\beta(t)$ is constant over time
i.e., no association between residuals & time
- Alternative: Hazards are not proportional
i.e., $\beta(t)$ changes with time
i.e., association between residuals & time

Idea is to look at correlation between residuals and time?

Schoenfeld Test

- A test for non-proportional hazards:
correlation between residual and time
`stcox edema age10`
`estat phtest, detail`
- Small p-value means
proportional hazards is rejected –
the proportional hazards assumption can be
shown false

Schoenfeld Test

```
stcox edema age10
estat phtest, detail
```

Test of proportional-hazards assumption

Time: Time

	rho	chi2	df	Prob>chi2
edema	-0.33749	13.09	1	0.0003
age10	0.01747	0.03	1	0.8540
global test		13.52	2	0.0012

rho is correlation between residuals and time

We see that edema is significant = *non-proportional hazards*

Scaled Schoenfeld Residuals (plot & test)

- Technical/subjective, so hard to explain (con)
- Poor for multilevel categorical variables
would need a plot for each level of category (con)
- Handles continuous variables well (pro)
- Can display effects on HR over time
- Note that different **time-scaling** functions can be used with `estat phtest` - can be important if there are outliers

Graphs vs. Tests

- Graphs and tests are complementary
- Need to look at whether the graph shows evidence of important violation
- Test helps objective assessment of graph
- However, tests have low power when n is small (and “too much” power when n is large)
- Graphs can show problem with test
single outlier can affect test

Handling Non-Proportionality

- Stratification
- Time Dependent Covariates

Dealing with non- proportionality: Stratification

Stratified Cox Model

PBC data

- We have seen that baseline edema does not obey proportional hazards, but age does... so model,
- $h(t|\text{edema}=1, \text{age}) = h_{01}(t) \exp(\beta \times \text{age})$
 $h(t|\text{edema}=0, \text{age}) = h_{00}(t) \exp(\beta \times \text{age})$
- Models two separate baseline reference groups
- Proportional within edema but not across:
relative effect of a 1-unit change in age on hazard is the same for edema = 1 or edema = 0;
implicitly assumes no interaction between edema and age

Stratification Approach

- Fit a Cox model with terms for proportional variable and stratify by non-proportional variable

```
stcox age10, strata(edema)  
      (proportional)      (non-proportional)
```

- Use adjusted survival curves to present the effect of edema

Stratified Cox Model

- Easily implemented in Stata:
 - Proportional hazards model for age
 - Stratified by edema

```
. stcox age10, strata(edema)
```

```
Stratified Cox regr. -- Breslow method for ties
```

```
No. of subjects = 312
```

```
Number of obs = 312
```

```
No. of failures = 125
```

```
Time at risk = 1713.853528
```

```
Log likelihood = -546.68714
```

```
LR chi2(1) = 11.60
```

```
Prob > chi2 = 0.0007
```

_t	Haz. Ratio	Std. Err.	z	P> z	[95% Conf. Interval]	
-----+-----						
age10	1.342085	.1162448	3.40	0.001	1.132539	1.590402

Stratified by edema

No p-value, HR etc. for edema

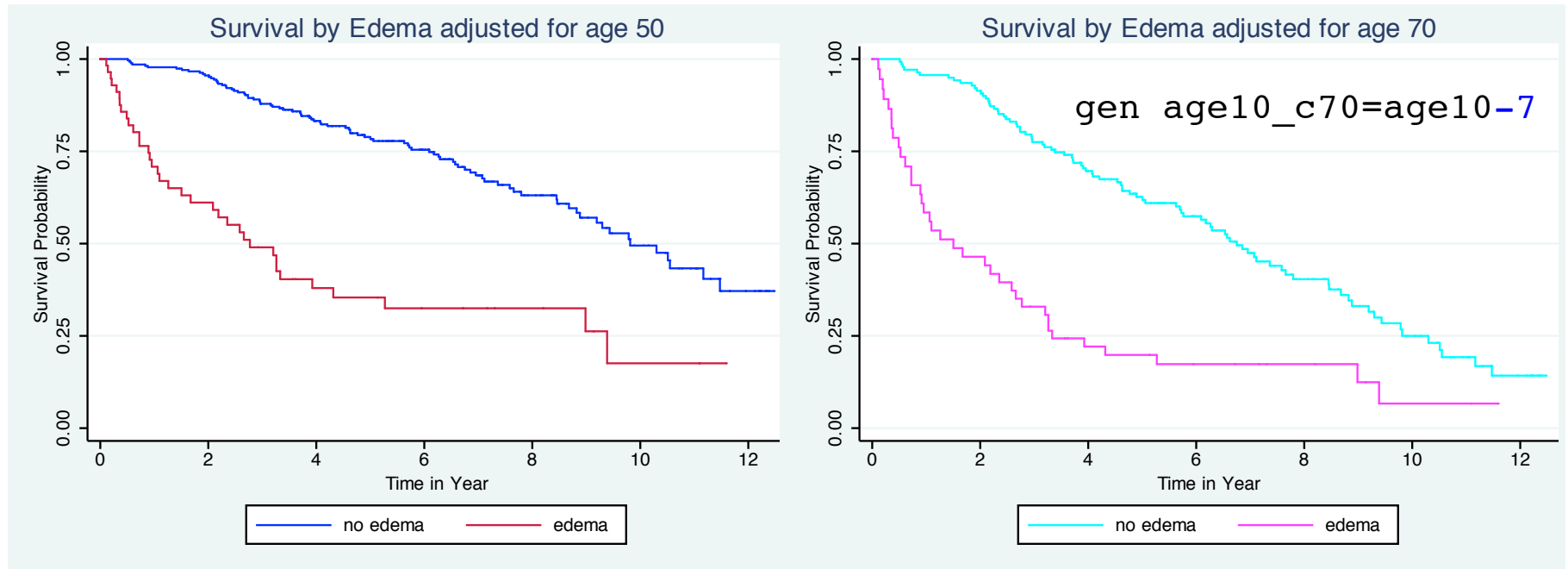
Interpretation

For each 10 years increase in age, there is a 34% increase in the hazard of death after adjusting for edema, 95% CI (13% increase to 59% increase)

Could mention you did a stratified model in the method section, rather than in the results.

Effect of Edema

- `gen age10_c50=age10-5`
should center first, graph sets adjusted variables to 0
- `sts graph, by(edema) adjustfor(age10_c50)`



effect of edema is fading in time

Stratification Pros/Cons

- Fairly simple and non-technical approach
- What if the non-proportional variable is continuous?
- What if more than one non-proportional variable?

Summary

Stratified Cox Model

- Stratification requires multiple baseline hazards
- Stratification of a continuous variable (e.g., bilirubin) requires cutting it into categories
- Need to be at least 3-5 events per stratum
- Can use stratification as a way to adjust for non-proportional variable or to *avoid* proportional hazard assumption
- Gives no summary of the effect of stratum, but *adjusted survival curves can show strata effects*

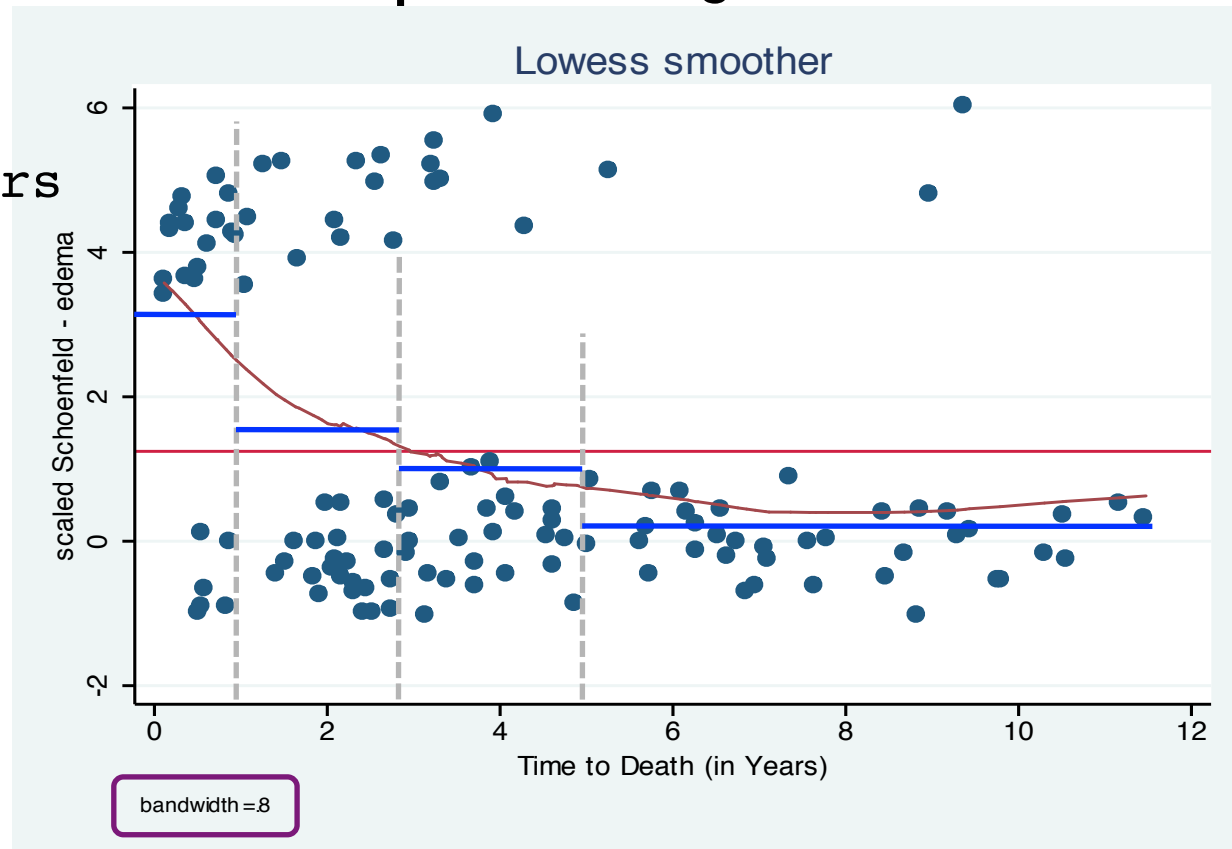
Dealing with non-
proportionality:
The time-dependent
covariates “trick”

Time-Dep Cov Approach

Divide time into ****discrete**** periods: e.g., Year 0-1, 1-3, 3-5, 5+

Edema residuals

lowess junk_e years



The trick here is that the time interval itself becomes the time varying covariate!

Time-Dep Cov Approach

- Divide time into a series of periods (e.g., Year 0-1, 1-3, 3-5, 5+)
- Estimate HR for edema for each period
- Achieved by creating a series of TD covariates:
edema01, edema13, edema35, edema5p
that separately give the effect of edema in each period

```
stset years, failure(status) id(number) // generates _t0, _t, _d
```

```
stsplitt grp, at(1 3 5) // split time variable (years) at these times into groups ≤ years (grp)  
// that is, generate multiple rows for each subject; one for each timepoint up to and including  
// the time of censoring or time of death
```

```
recode status . = 0 // recodes all newly generated rows to “censored” status
```

```
gen edema01=edema*(grp==0) // This set of commands generates 4 separate  
gen edema13=edema*(grp==1) // edema variables specific to each time interval;  
gen edema35=edema*(grp==3) // that is, edemaxx only equals 1 if the patient has edema  
gen edema5p=edema*(grp==5) // AND the dataset row corresponds to period xx
```

TD Cov Set-Up

```
. list number _t0 _t status edema grp edema01 edema13 edema35 edema5p in 1/12, sepby(number)
// lists values of the variables: number _t0 _t status edema grp edema01 edema13 edema 35 edema5p;
// 'in 1/12' restricts to first 12 rows; 'sepby(number)' draws line between each subject::
```

	number	_t0	_t	status	edema	grp	edema01	edema13	edema35	edema5p
1.	1	0	1	Censored	1	0	1	0	0	0
2.	1	1	1.0951403	Dead	1	1	0	1	0	0
3.	2	0	1	Censored	0	0	0	0	0	0
4.	2	1	3	Censored	0	1	0	0	0	0
5.	2	3	5	Censored	0	3	0	0	0	0
6.	2	5	12.320329	Censored	0	5	0	0	0	0
7.	3	0	1	Censored	1	0	1	0	0	0
8.	3	1	2.770705	Dead	1	1	0	1	0	0
9.	4	0	1	Censored	1	0	1	0	0	0
10.	4	1	3	Censored	1	1	0	1	0	0
11.	4	3	5	Censored	1	3	0	0	1	0
12.	4	5	5.2703629	Dead	1	5	0	0	0	1

A separate edema variable is set up for each time period so that we can have hazard ratio estimates for edema specific to each time interval!

Output

```
gen age10=age/10
stcox edema?? age10
```

```
No. of subjects =          312
No. of failures =          125
Time at risk    = 1713.853528

Log likelihood   =   -605.36554
```

```
Number of obs   =          1001

LR chi2(5)       =          69.23
Prob > chi2      =          0.0000
```

_t	Haz. Ratio	Std. Err.	z	P> z	[95% Conf. Interval]	
edema01	14.45344	6.974774	5.53	0.000	5.613169	37.21639
edema13	3.423855	1.241054	3.40	0.001	1.682588	6.967111
edema35	3.187902	1.495416	2.47	0.013	1.2712	7.994587
edema5p	.8742166	.526164	-0.22	0.823	.2687244	2.844009
age10	1.33777	.1153185	3.38	0.001	1.129812	1.584006

HR declines with time,
does not significantly differ from 1 after year 5

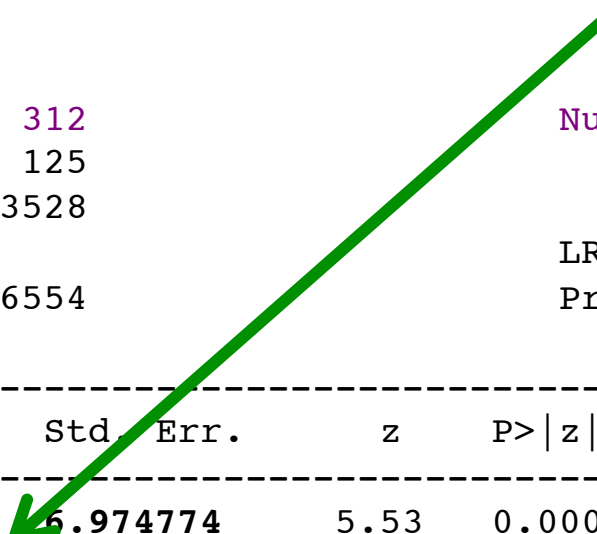
Interpretation

“Adjusted for age, during the first year of follow-up, subjects with edema at baseline have about 14-fold (5.6-37) higher hazard of death. During years 1-3 and 3-5, it is 3.4-fold (1.7, 7.0) and 3.2-fold (1.3, 8.0) higher respectively compared to those with no edema. After year 5, the relative hazard is 0.87 (0.3, 2.8), not statistically significantly different from 1.0.”

Output

```
gen age10=age/10
stcox edema?? age10
```

Similar?



No. of subjects = 312
No. of failures = 125
Time at risk = 1713.853528
Log likelihood = -605.36554

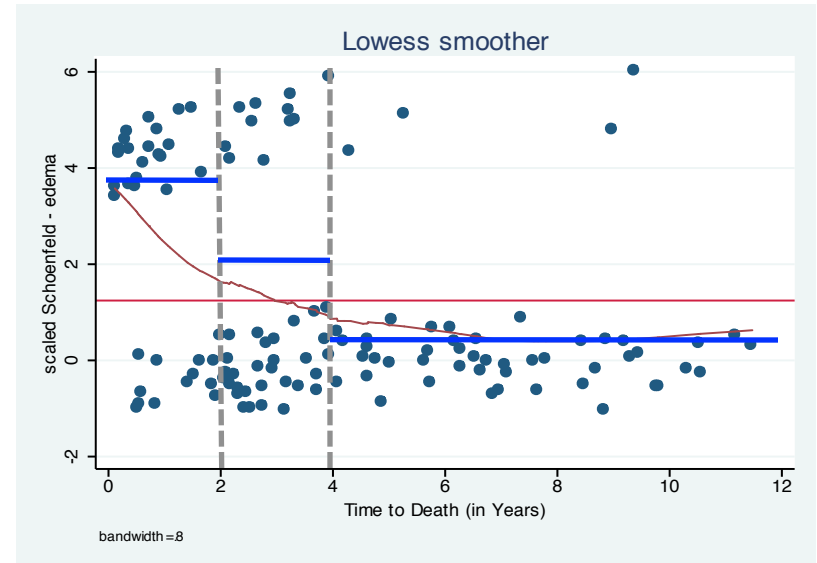
Number of obs = 1001
LR chi2(5) = 69.23
Prob > chi2 = 0.0000

_t	Haz. Ratio	Std. Err.	z	P> z	[95% Conf. Interval]	
edema01	14.45344	6.974774	5.53	0.000	5.613169	37.21639
edema13	3.423855	1.241054	3.40	0.001	1.682588	6.967111
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age10	1.33777	.1153185	3.38	0.001	1.129812	1.584006

HR declines with time,
does not significantly differ from 1 after year 5

Output

- What if divide time into
Year 0-2, 2-4, 4+?



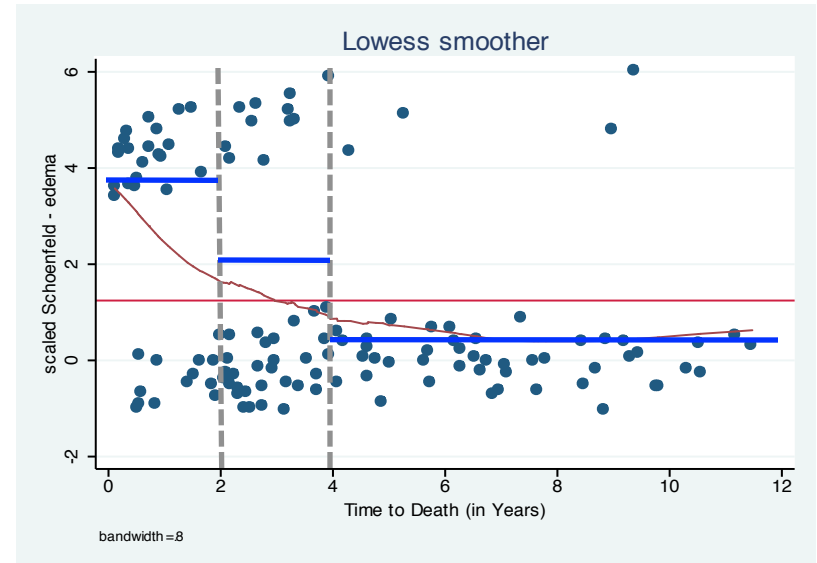
No. of subjects = 312
Log likelihood = -604.93786

Number of obs = 784
Prob > chi2 = 0.0000

<u>_t</u>	Haz. Ratio	Std. Err.	z	P> z	[95% Conf. Interval]	
edema02	10.54145	3.869923	6.42	0.000	5.133481	21.64657
edema24	3.2131	1.138287	3.29	0.001	1.604626	6.433907
edema4p	.9417363	.4928127	-0.11	0.909	.3376709	2.626425
age10	1.342123	.1157712	3.41	0.001	1.13336	1.58934

Output

- What if divide time into
Year 0-2, 2-4, 4+?



No. of subjects = 312
Log likelihood = -604.93786

Number of obs = 784
Prob > chi2 = 0.0000

<u>_t</u>	Haz. Ratio	Std. Err.	z	P> z	[95% Conf. Interval]	
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age10	1.342123	.1157712	3.41	0.001	1.13336	1.58934

TDC Pros/Cons

- Con: Bit of programming to set up
- Con: Somewhat artificial on choice of cut-points
- Pro: Estimates time-varying HRs and 95% CIs
- Pro: Clinicians love cutpoints
e.g. can say “edema doesn’t matter after 4-5 yrs”

Overview: Time dependent covariates as a *continuous* interaction with time

- Allows effect of predictor to vary continuously with time
- `stcox` with `tvc()` and maybe `texp(fn(_t))`, or `stsplit, at(failures)` -- [see Sections 6.4.2.6 and 6.9 of VGSM plus Time varying subsection of `help stcox` and `help tvc_note`: especially see hyperlink to Cox regression with continuous time-varying covariates]
- The continuous interaction with time model is more realistic than splitting at specific times (pro)
- Typically requires transformation so that hazard ratio is a linear (or other “smooth”) function of the interaction with time (con)

What about Follow Up Edema Values?

- Recall, edema only codes for baseline edema
- Subjects with edema die off fairly fast
- PBC is a progressive disease
- Subjects are developing edema over time
- If used the yearly information on edema as a TD covariate, the effect may not fade with time

Linearity in Predictors?

continuous predictors

- We considered the proportional hazard assumption
- But what about the linearity of predictors assumption?
- $\log(h(t|x)/h_0(t)) = \beta_1 x_1 + \dots + \beta_p x_p$

Linearity in Predictors?

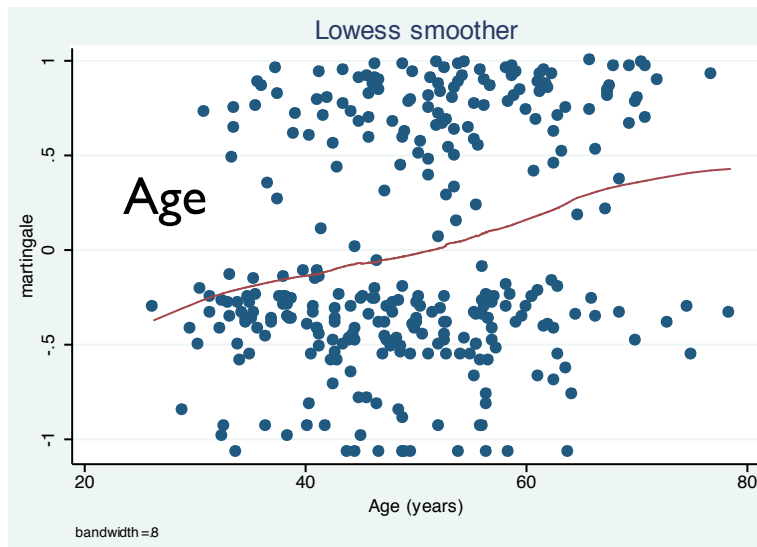
continuous predictors

- Possible to use “martingale residuals” to discover a suitable functional form for a *predictor* (possibly adjusted for others)
- Fit Cox model with no predictor, and give a name “*mg_resi*” to the martingale residuals
 - `stcox, mgale(mg_resi) estimate`
- LOWESS: smooth *mg_resi* vs. *predictor*
- Does it appear to be approx. a straight line?

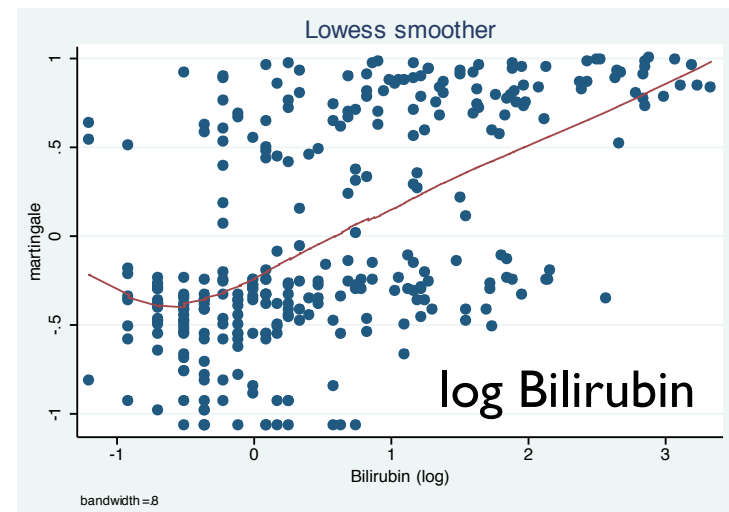
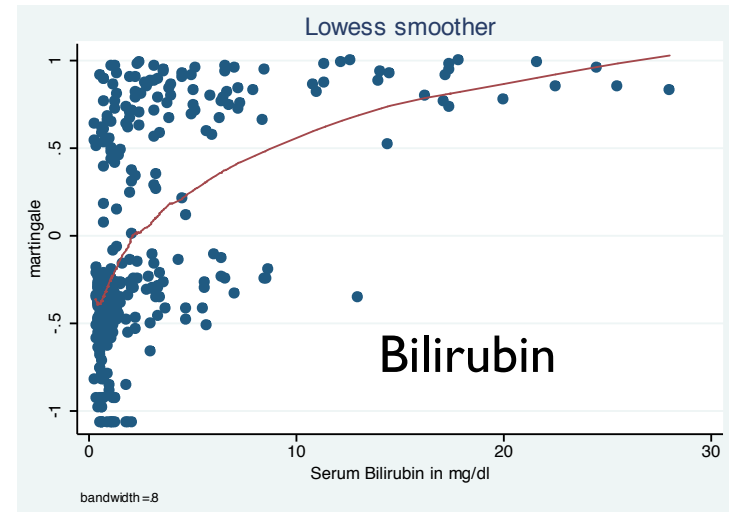
Model Checking: PBC

Linearity in predictors?

- use `pbcc.dta`
- `stset years, failure(status)`
- `stcox, mgale(mg_resi) estimate`
- `lowess mg_resi age`
- `lowess mg_resi bili`
- `lowess mg_resi logbili`



Similar plots can be made while adjusting for other covariates by `stcox covariates, mgale(mg_rescov)` and then, e.g., `lowess mg_rescov age`



Other Survival Topics

- **Clustered data**

- Dr. McCulloch's lectures have a strong focus on the analysis of clustered data and you will see many examples (but not survival)
- Clustered survival data consist of e.g., multiple subjects clustered by center, or multiple events (multiple failure times) on a subject (see Dr. McCulloch's lectures)
- use `shared(cluster_id)`, `cluster(id)` or `vce(cluster id)` in Stata with `stcox`
- The key is to appropriately set up the data for the type of clustering – ordered vs. non-ordered events, single or multiple event types etc.
- See <http://www.stata.com/support/faqs/statistics/multiple-failure-time-data>

Other Survival Topics

- **Interval Censoring**

- Conventional survival data is right-censored only
- Often only know event happens in an interval (e.g., between scheduled hospital visits).
- Regular intervals can use pooled logistic regression (e.g., all patients visit at time 0, 12 months, 24 months and 36 months)
- Non-regular intervals need non-parametric Kaplan-Meier-Turnbull or parametric modeling (i.e. with a model for baseline hazard or survival distribution)
- Use `intcens` in STATA from SSC for parametric models
type `ssc install intcens` in STATA then look at:
`help intcens`

Other Survival Topics

- **Left-Truncation**

- PBC used time from enrolment for time 0, but makes more sense to use diagnosis time
- Why a problem? subjects with early death less likely to be enrolled – if not accounted for will underestimate early deaths
- `stset years_since_diag, failure(status)`
`enter(disease_dur)`
`disease_dur = truncation times (time from Dx to enrollment)`
- Survival function drops faster early on after accounting for left-truncation
- See section 6.6.6 in VGSM

Summary

- Adjusted survival curves
- Time dependent covariates
- Testing proportional hazards: graphs and test
- Non-proportional hazards solutions
 - 1) Stratified Cox
 - 2) Time dependent covariate trick (discrete or continuous)

Other extensions: clustering, competing risks, left-truncation, interval censoring

Don't forget...

- HW 1 discussion will follow now
- Next lecture: “Common Biostatistical Problems” 4/22
- Email HW 2 to Jason Roberts
biostat209.2014@gmail.com by start of 4/22 lecture.
- HW 2 discussion will follow lecture on 4/22
- **The homework of 4/22 will be due by the lecture on 4/24 -- only a two day window!!!!**